

FLIGHT TESTS OF A TWIN-ENGINE AIRCRAFT: PERFORMANCES, STABILITY AND PARAMETER ESTIMATION



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Layout of the presentation

- Overview of the Tecnam P2006T aircraft
- Flight tests instrumentation
- Flight tests certification
- Stability and flight quality evaluation
- Aircraft parameter estimation



P2006T Aircraft



CS-23 Certification

Performances

Max Level speed (at S/L) 155 kts

Cruise speed 145 kts

Max R/C (at S/L) 1202 ft/min

Take-off distance 450 m (1400 ft)

Landing distance 320 m (1050 ft)

Characteristics

Wing span 11.4 m (37.4 ft)

Wing area 14.8 m² (159.3 ft²)

Fuselage length 8.7 m (28.5 ft)

AR 8.8

Engine: Rotax 912S (2×100 hp)

Weights & Balance

MTOW 1180 kg (2600 lb)

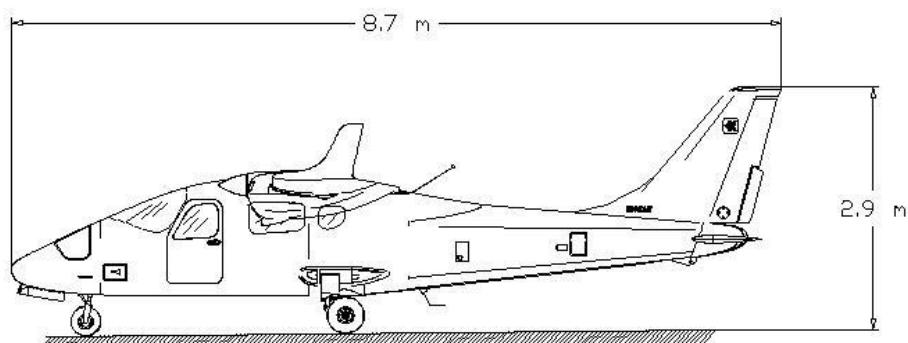
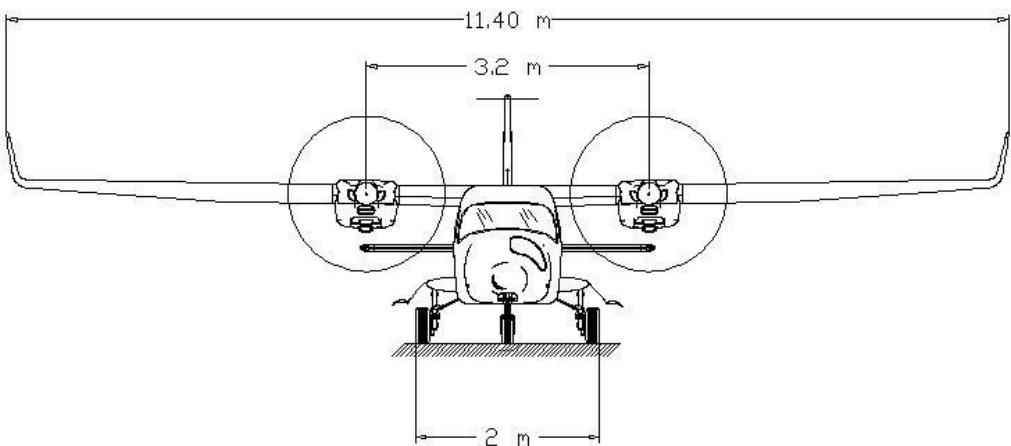
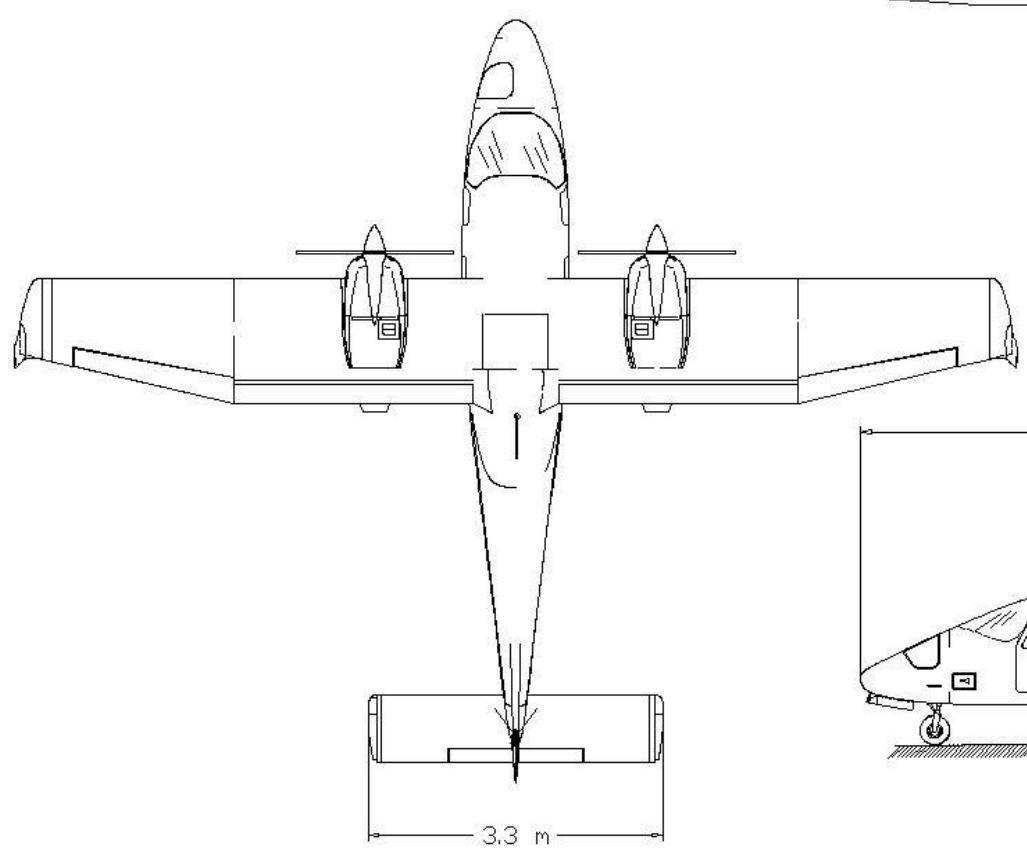
Std. Equipped Empty Weight 760 kg (1675 lb)

Max/Min load factors +3.8 g / -1.9 g

	Max Fwd	Max Aft
XCG Position	16.5 %	31 %

**P2006 T**

GENERAL VIEW



Wind tunnel tests

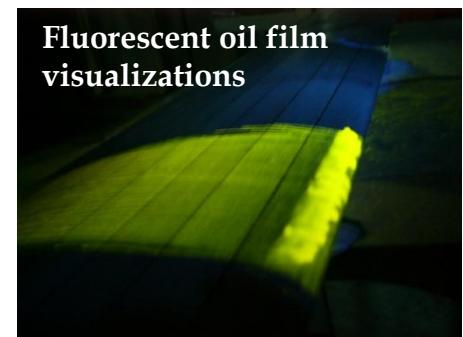


Turbulence Intensity
~ 0.1%

Max. speed
~ 45 m/s

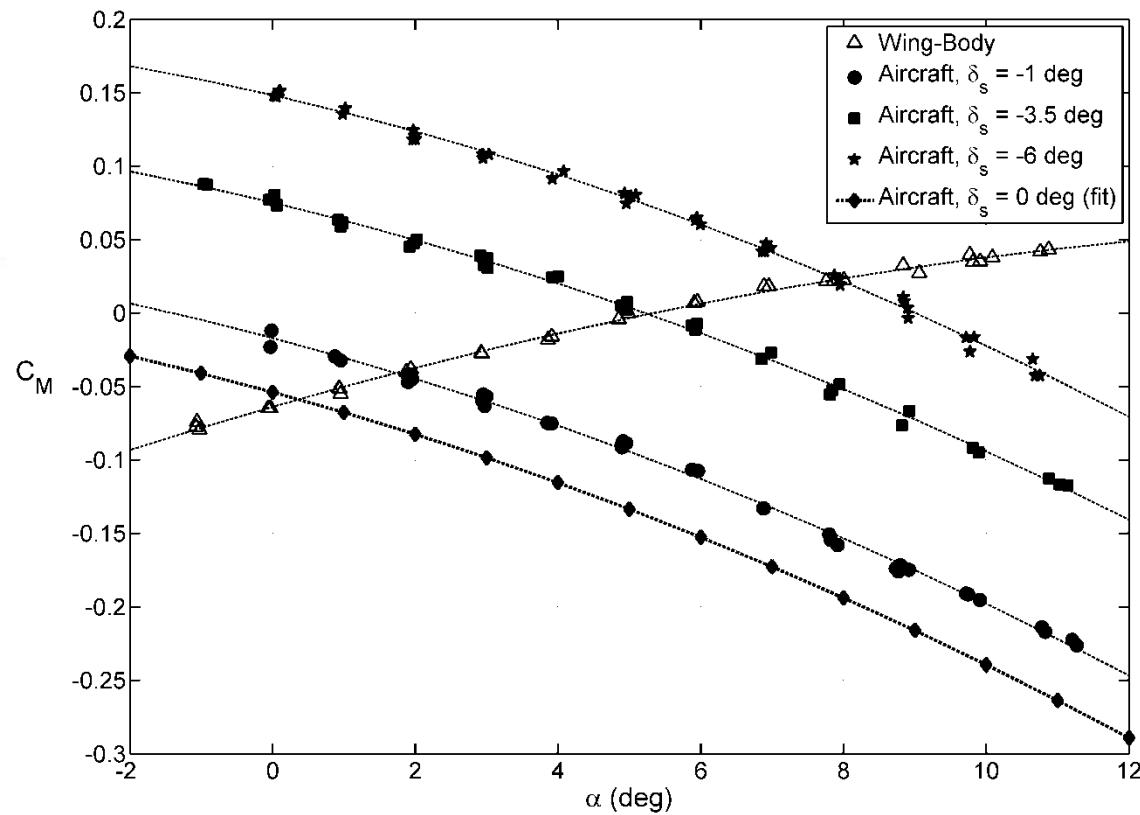
Scale Model
(1:6.5)
 $Re \approx 0.6 \times 10^6$

In-Flight
 $Re \approx 6.0 \times 10^6$





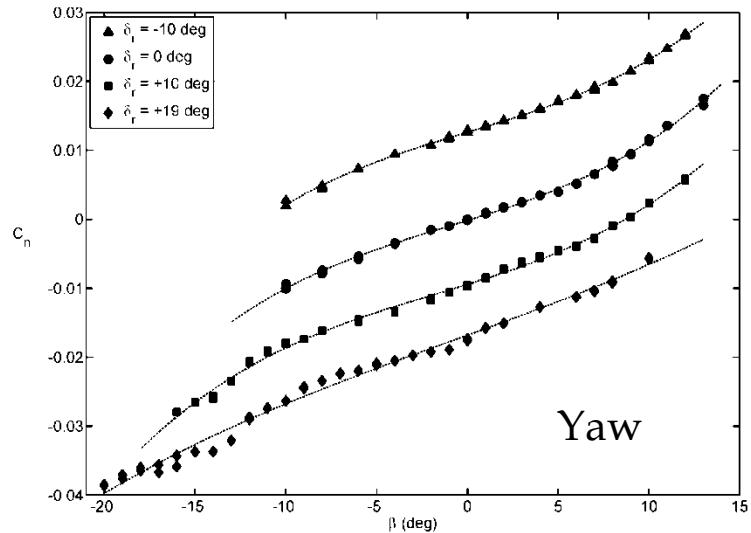
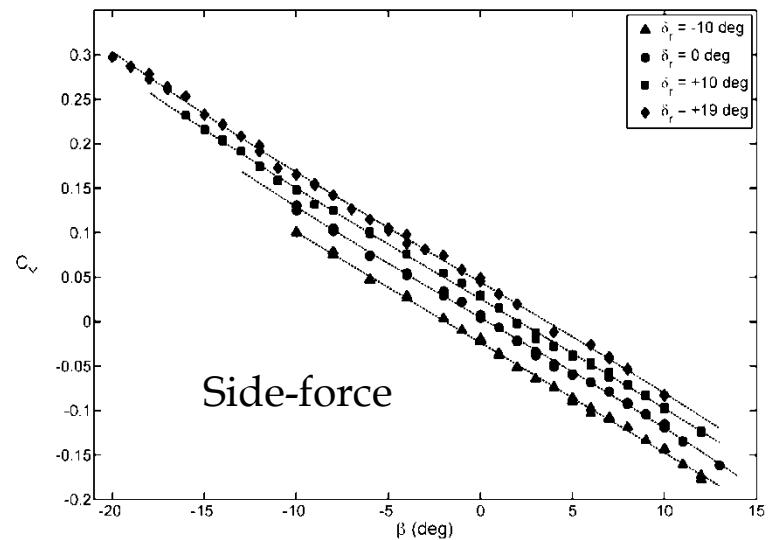
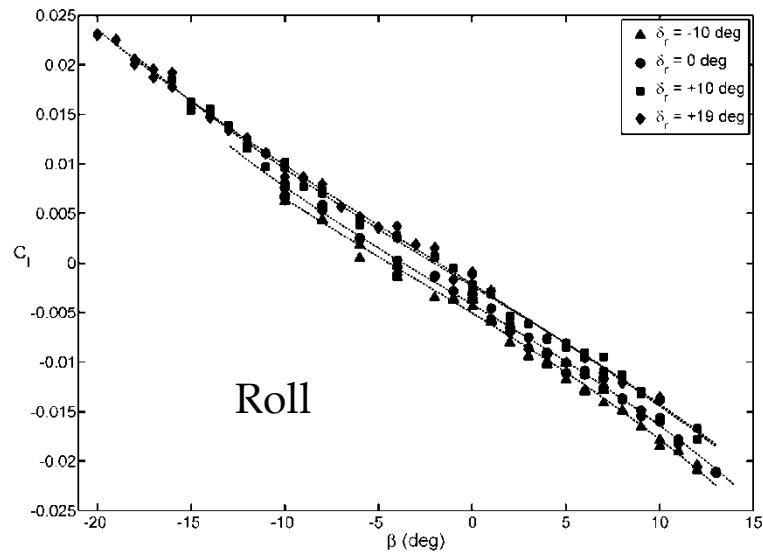
Wind tunnel test results



Pitching moment coefficient, measured for a fixed transition on wings, nacelles and fuselage and a reference Reynolds number of 0.6×10^6 , at different stabilator deflection angles δ_s



Wind tunnel test results



Lateral-directional coefficients, measured for a fixed transition on wings, nacelles and fuselage and a reference Reynolds number of 0.6×10^6 , at different rudder deflection angles δ_r

Flight Performances and certification

Flight tests carried out

- to complete aircraft certification
- to release flight manual
- aircraft set up



Flight data acquisition system



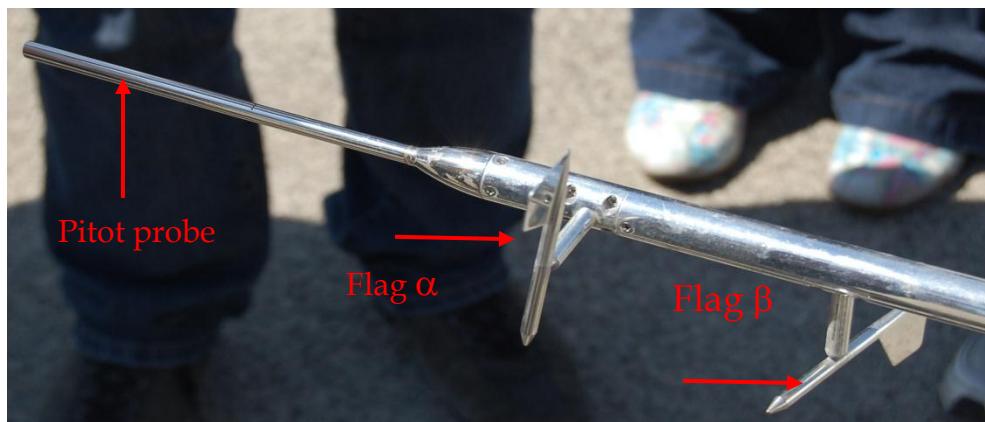
Box Megaris (PC)



AHRS



GPS Antenna



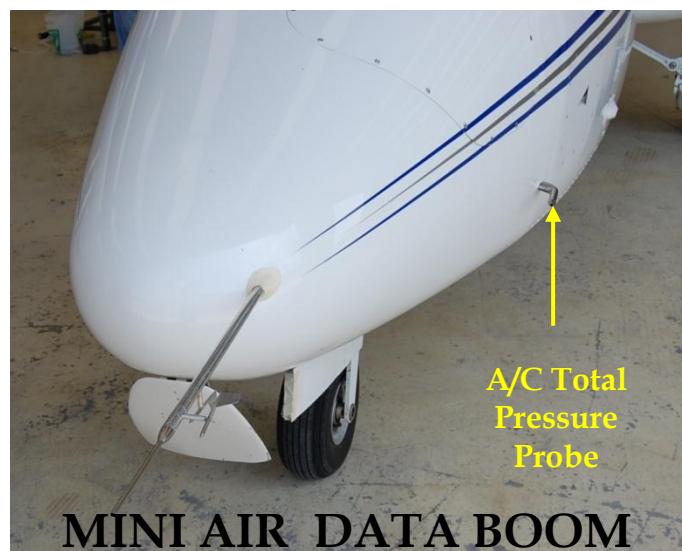
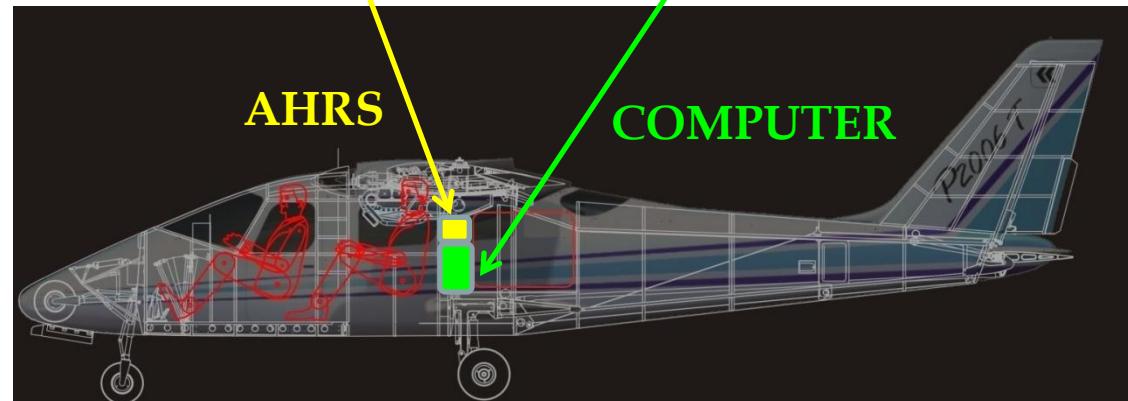
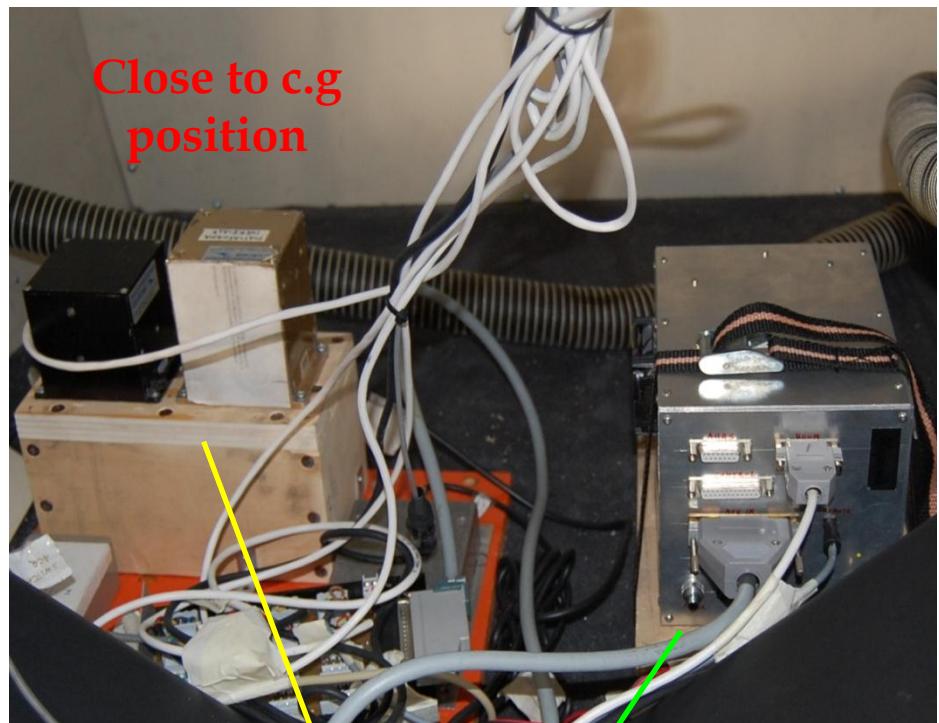
Mini Air DATA Boom



Aileron deflection



Flight data acquisition system



P2006T Flight Performances and certification

Flight tests carried out

- to complete aircraft certification
- to release flight manual
- aircraft set up

In this presentation:

- Pitot-static system calibration
- Stall tests
- Climb (AEO , OEI) tests
- Take-off tests
- Static Stability tests





Pitot-static system Calibration

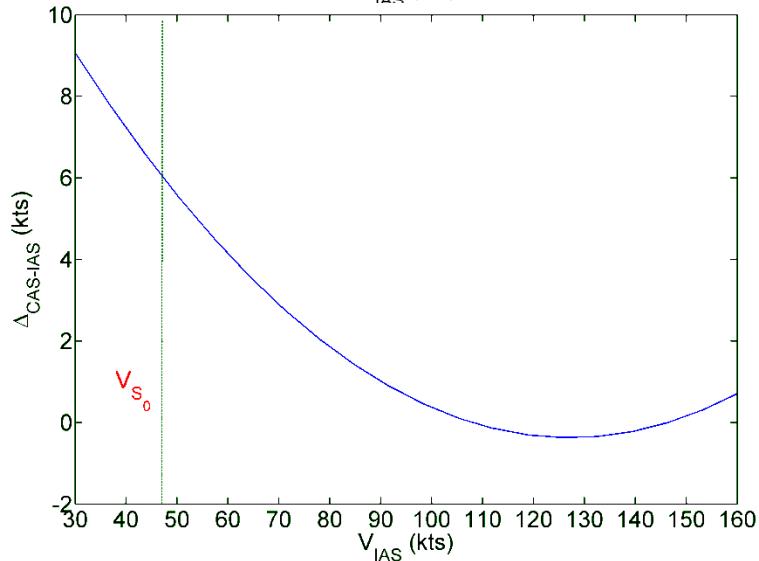
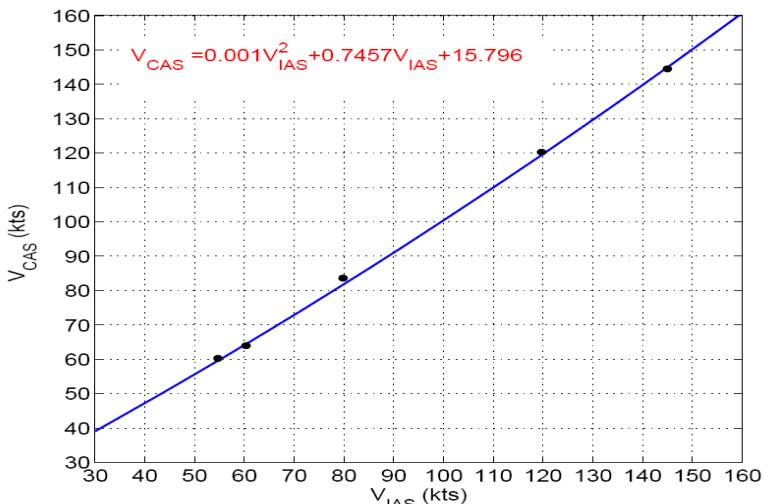
Speed course method together GPS measurements:

- a series of courses over a base of known length

Results summary

FLAPS	GEAR	average GS (kts)	V _{CAS} (kts)	V _{IAS} (kts)	ERROR %
(deg)					
0	Up	83.2	84.1	80	5.1
0	Up	119	120.3	120	0.3
0	Up	142	143.5	145	-1.0
take-off	Down	63	63.3	60	5.5
landing	Up	60.5	60.7	55	10.3

Calibration curve



Stall Tests

- Requirements CS 23.49 and CS 23.201

- starting from a speed at least 10 kts above the stall speed
- longitudinal control must be pulled back
- rate of speed reduction will not exceed **1 knot/s**(level stall) **and 3 knots/s**(turning stall)

Tests have been performed in the following configurations and conditions:

- Maximum weight take off;
- Engine running at 75% and idle
- Flap a 0° , 15° and full;
- Landing gear retracted and extended;
- Trim speed ($=1.5VS1$).
- CG in the max forward and aft position.
- Turning stall with 30° of bank

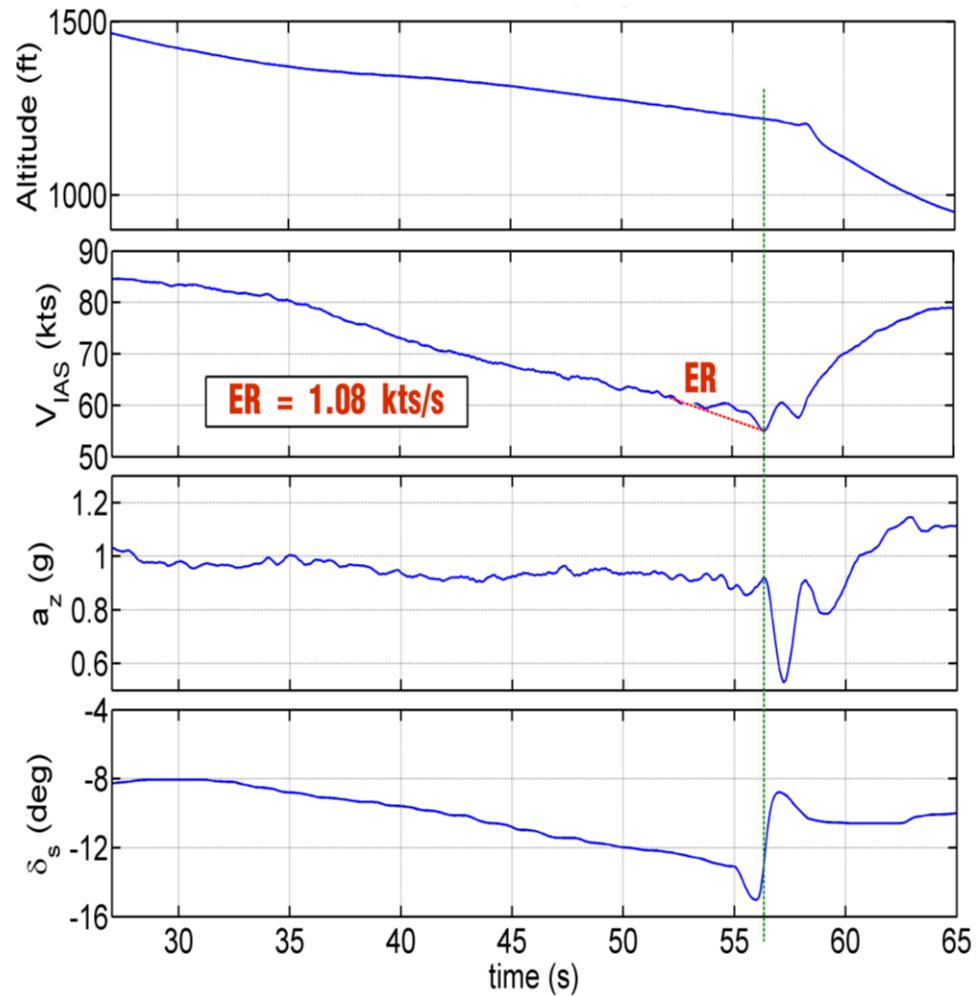


... leading to more than 100 stalls to accomplish certification requirements!

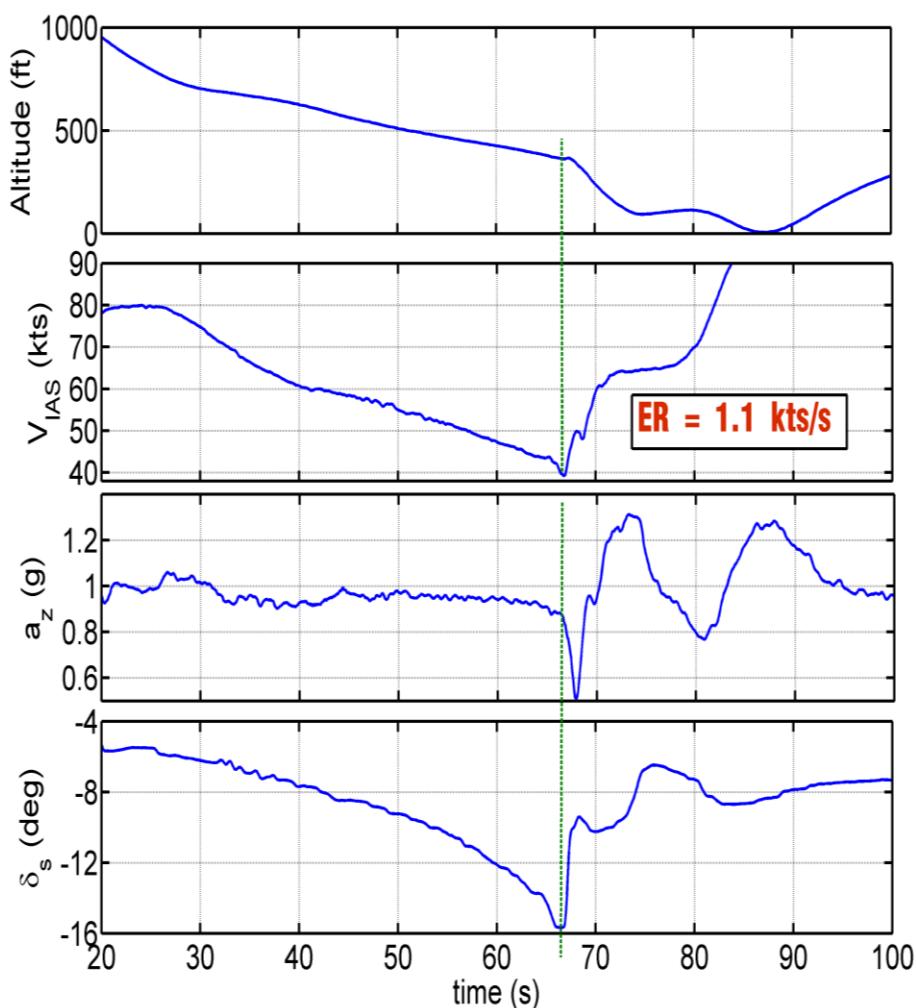


Stall Tests

Level stall time histories - NO FLAP



Level stall time histories - FLAP landing



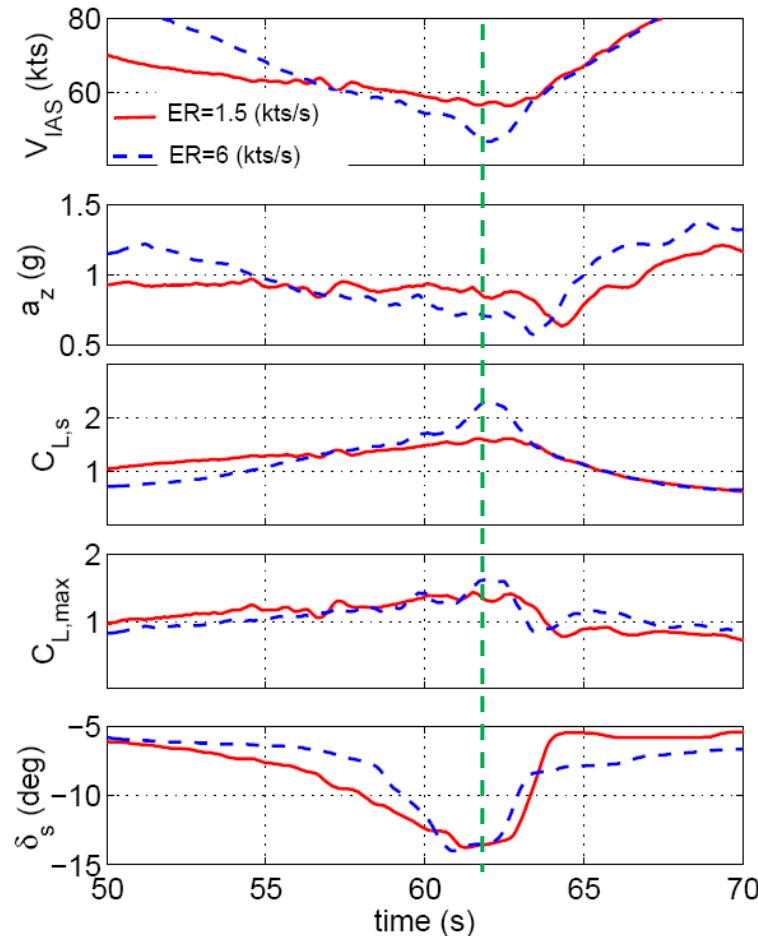


Stall Tests -Results

ENTRY RATE EFFECT

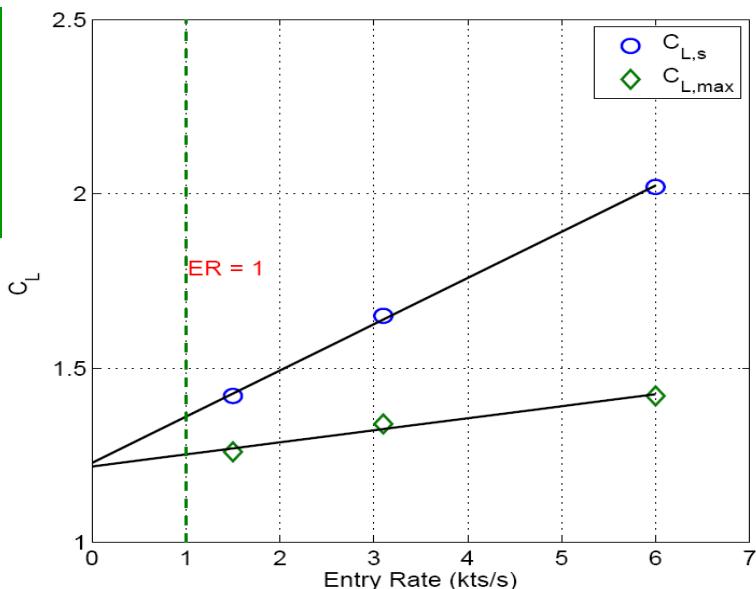
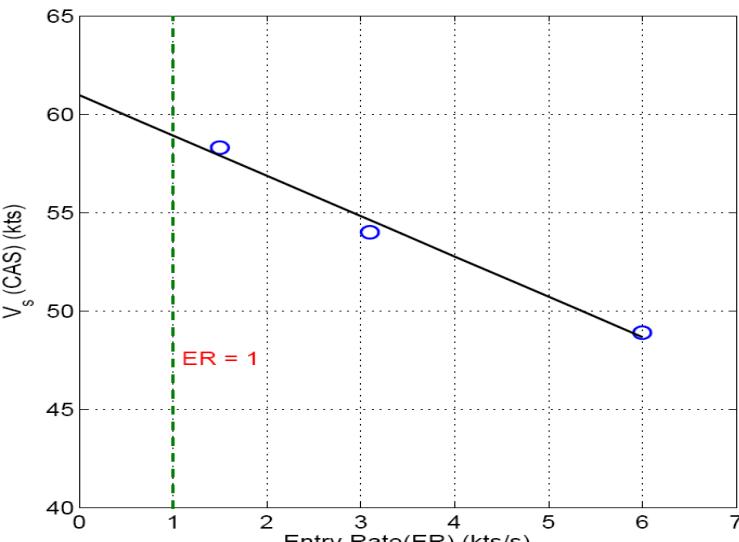
Level stall time histories - no FLAP

Xcg 16.5% MAC (max forward)



$$C_{L,s} = \left(\frac{W}{\frac{1}{2} \rho V^2 S} \right)$$

$$C_{L,max} = \left(\frac{a_z W}{\frac{1}{2} \rho V^2 S} \right)$$





Stall Tests - Results

...more than 100 stalls have been performed !

Type	Flap (deg)	Land. gear	V_s (kts)	a_z	Entry rate (kts/s)	$C_{L,s}$	$C_{L,MAX}$
Stall tests cg max forward (16.5%)							
Leveled	0	Retr.	55.5	0.92	1.1	1.46	1.34
Leveled	0	Ext.	60	0.92	0.8	1.26	1.16
Leveled	15	Ext.	45.8	0.84	-	2.08	1.75
Leveled	40	Retr.	41.3	0.88	1.1	2.51	2.22
Leveled	40	Ext.	43	0.84	0.7	2.33	1.97
Turn	0	Retr.	65.7	0.97	0.8	1.06	1.04
Turn	40	Retr.	54	1.14	0.5	1.53	1.75
Stall tests cg max aft (30.5%)							
Leveled	0	Retr.	55.2	0.93	2.7	1.47	1.38
Leveled	15	Ext.	51	0.84	-	1.85	1.56
Leveled	40	Retr.	47	0.89	1.9	1.98	1.78
Turn	0	Retr.	62	0.97	1.3	1.19	1.15
Turn	40	Retr.	53	0.97	2.5	1.59	1.54

P2006T certified stall speeds

(CAS) **$V_{s_clean} = 56$ kts**

(CAS) **$V_{s_take_off} = 51$ kts**

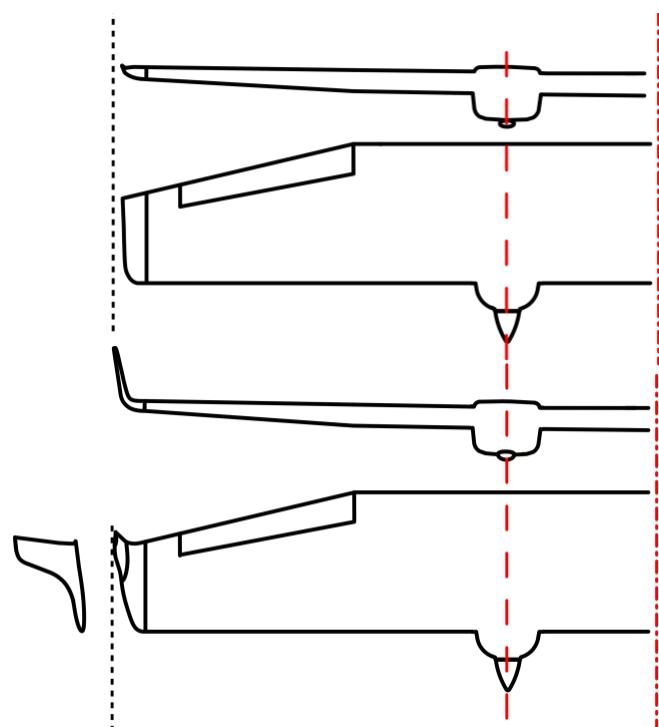
(CAS) **$V_{s_landing} = 47$ kts**

CLIMB

WINGLETS not installed

Aircraft during pre-certification tests

$$b = 11.2 \text{ m} \quad S = 14.7 \text{ m}^2$$



$$b = 11.4 \text{ m} \quad S = 14.8 \text{ m}^2$$

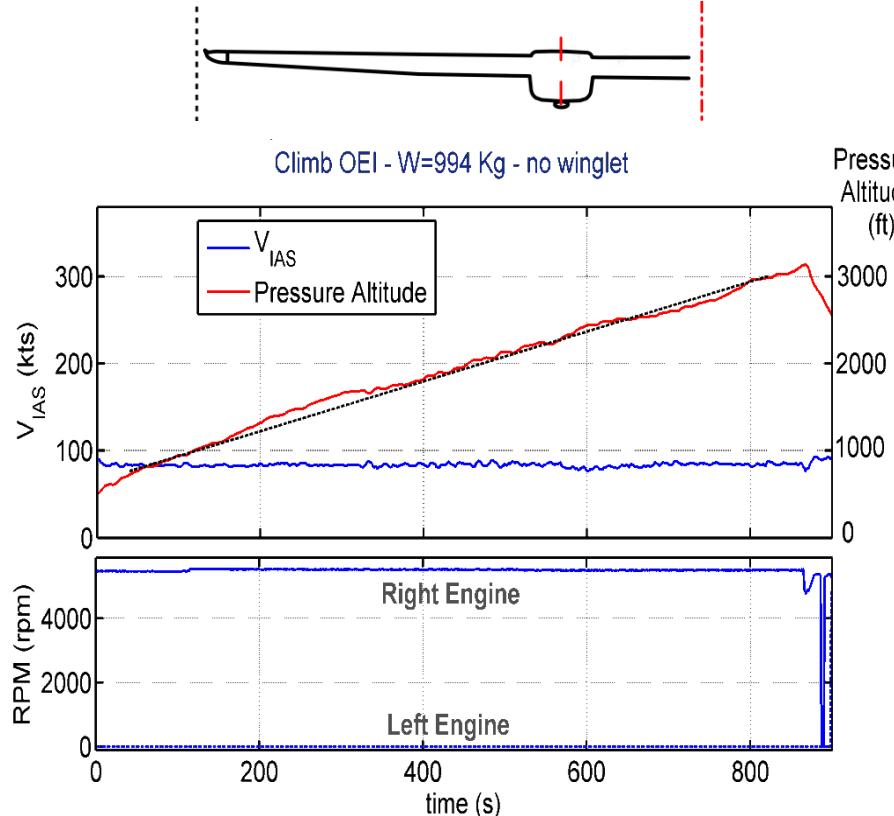


WINGLETS installed



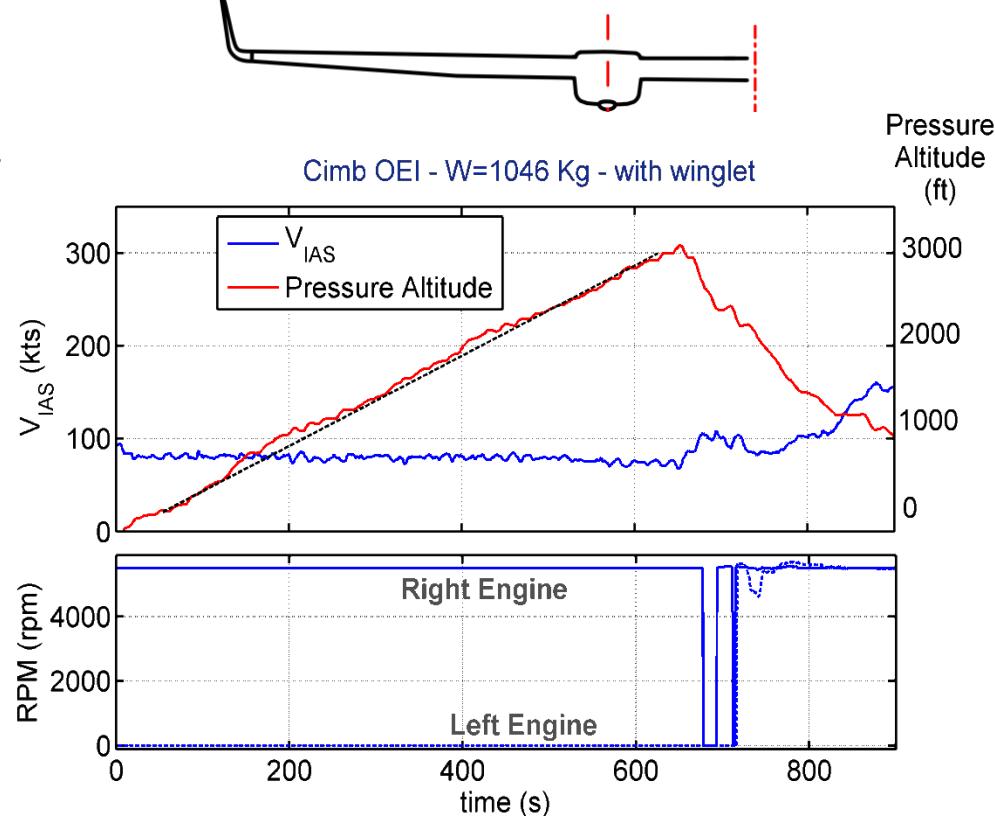
CLIMB - OEI

NO WINGLETS



**Rate of Climb (at 800 ft)
169 ft/min**

WINGLETS



**Rate of Climb (at 800 ft)
300 ft/min**

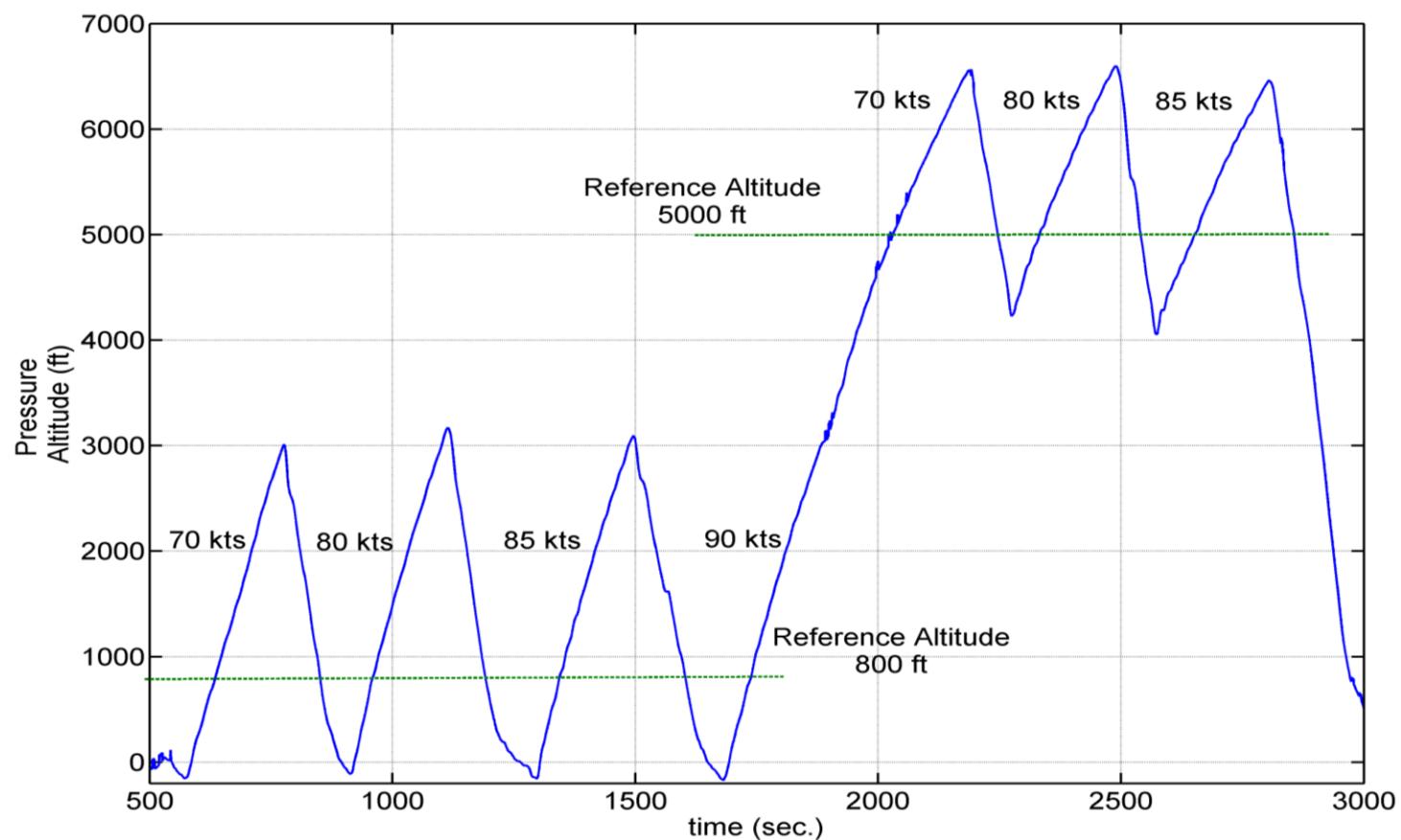
Pilots reported an huge difference in climb capability of the aircraft!



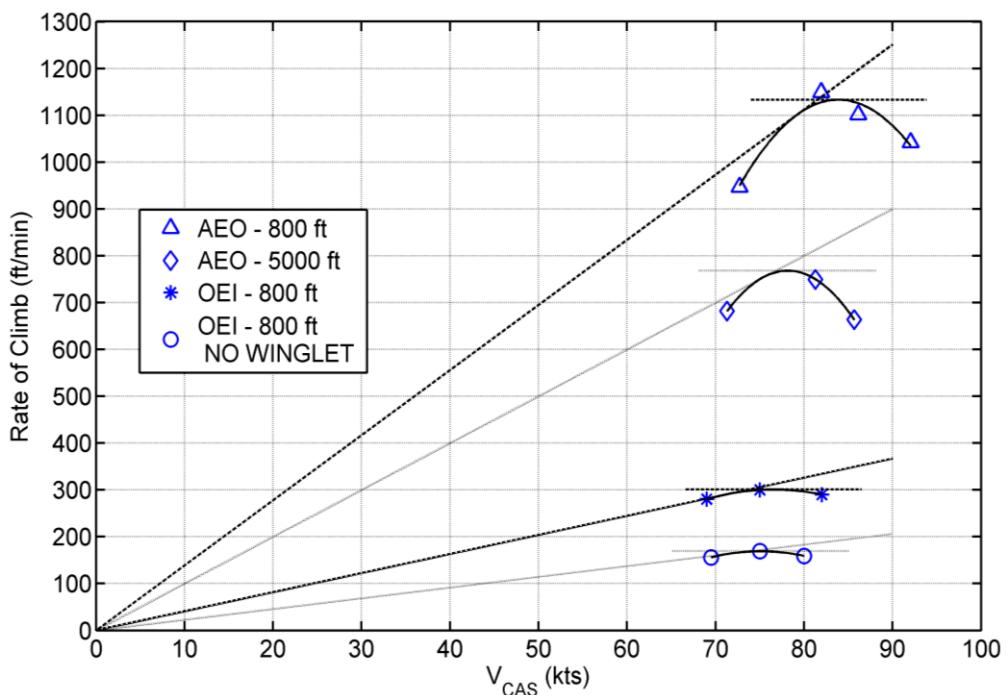
CLIMB - AEO

Flight certification tests

- SAW-TOOTH CLIMB
2 reference altitude (800ft and 5000 ft)



CLIMB - AEO&OEI



AEO

$$RC_{MAX} (800 \text{ ft}) = 1133.3 \text{ ft / min}$$

$$RC_{MAX} (5000 \text{ ft}) = 768.1 \text{ ft / min}$$

Steepest
climb speed

Fastest climb
speed

$$V_X (800 \text{ ft}) = 75.37 \text{ kts}$$

$$V_X (5000 \text{ ft}) = 78.13 \text{ kts}$$

$$V_Y (800 \text{ ft}) = 83.84 \text{ kts}$$

$$V_Y (5000 \text{ ft}) = 79.15 \text{ kts}$$

OEI

$$RC_{MAX} (800 \text{ ft})_{NO_WINGLET} = 169 \text{ ft / min}$$

$$RC_{MAX} (800 \text{ ft})_{WINGLET} = 300 \text{ ft / min}$$

Steepest
climb speed

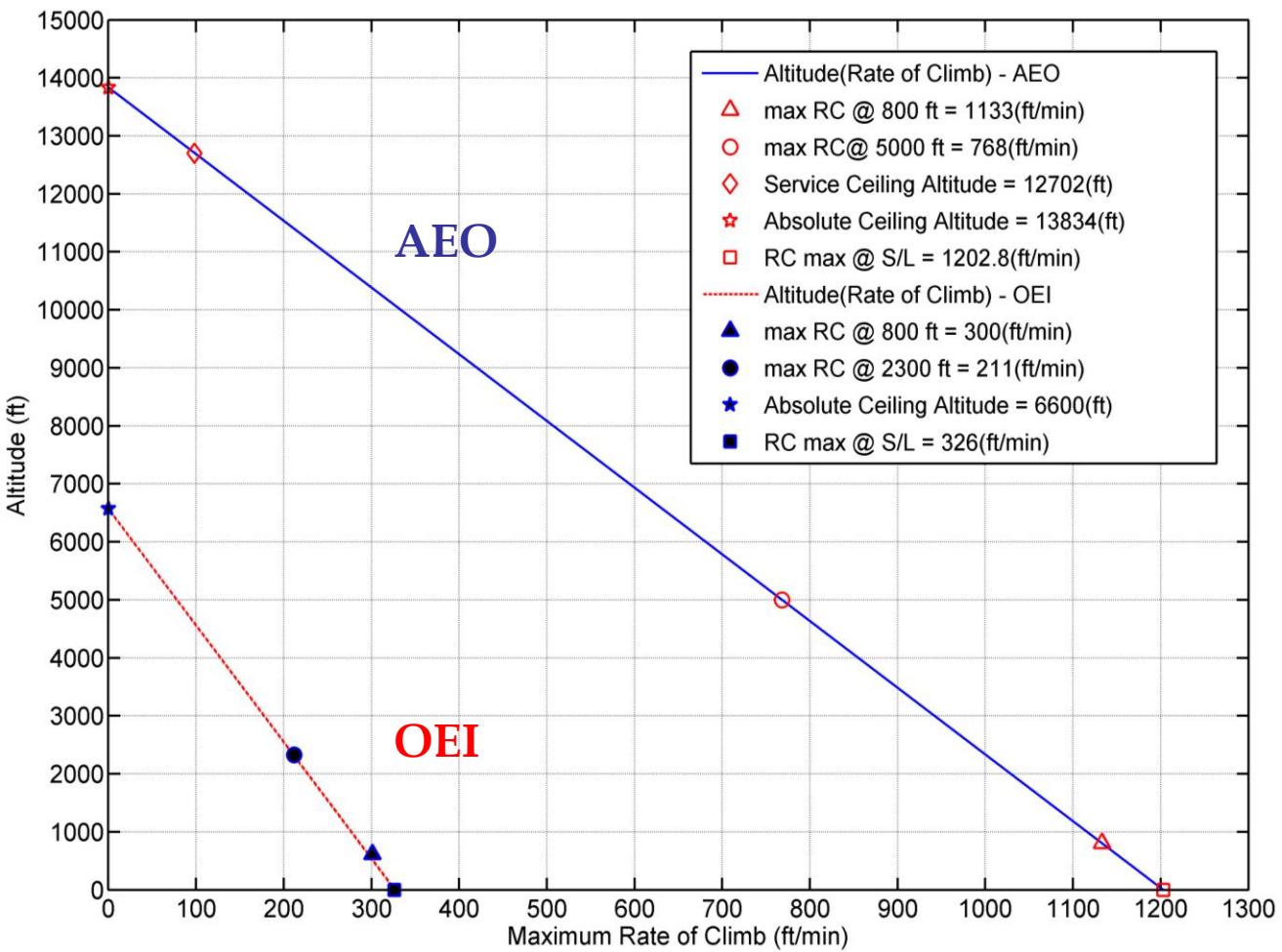
Fastest climb
speed

$$V_X (800 \text{ ft}) = 69.5 \text{ kts}$$

$$V_Y (800 \text{ ft}) = 76 \text{ kts}$$



CLIMB - AEO&OEI

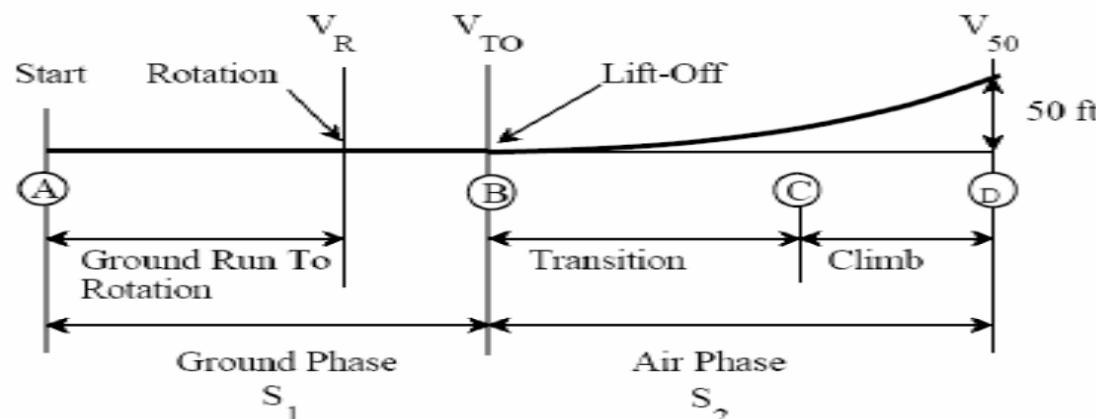

AEO

Best Rate of Climb @ sea level (ft/min)	Absolute Ceiling Altitude (ft)	Service Ceiling Altitude (ft)
1202.8	13834	12702

OEI

Best Rate of Climb @ sea level (ft/min)	Absolute Ceiling Altitude (ft)
326	6600

TAKE-OFF



- Ground Phase S_1
 - Air Phase S_2
- $\longrightarrow \text{STO} = S_1 + S_2$

Requirements: CS 23.51 – 23.53

- $V_R > 1.05 \text{ VMC}(55.8 \text{ kts}) \quad \text{or} \quad 1.1 \text{ VS1}(56.1 \text{ kts})$
- $V_{50} > 1.1 \text{ VMC}(58.3 \text{ kts}) \quad \text{or} \quad 1.2 \text{ VS1}(61.2 \text{ kts})$
- Flap take - off, landing gear down , maximum power
- Maximum Weight, Xc.g. max forward

TAKE-OFF

Ground Phase
reconstruction



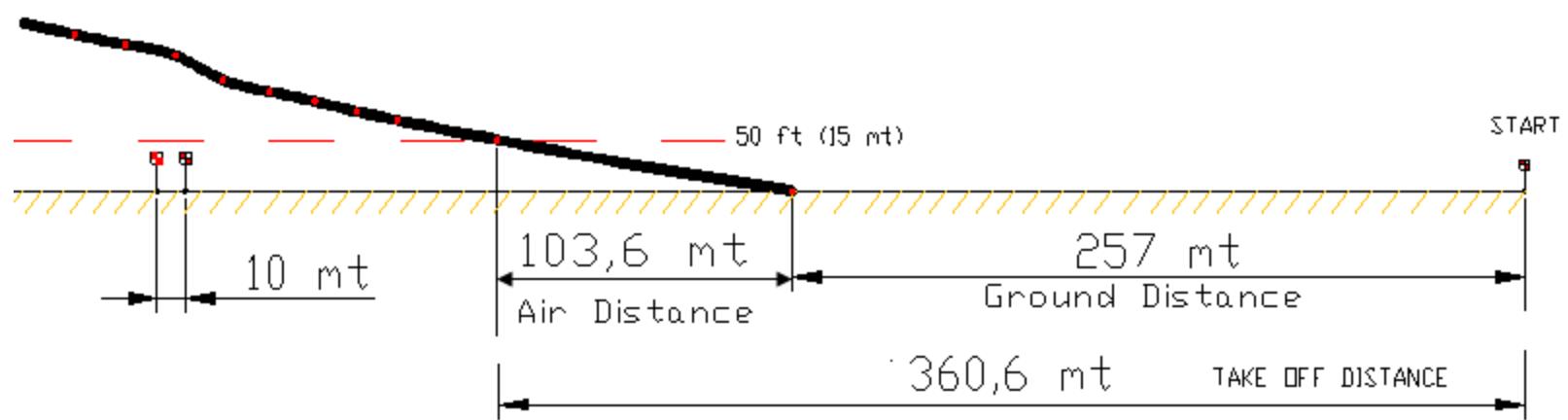
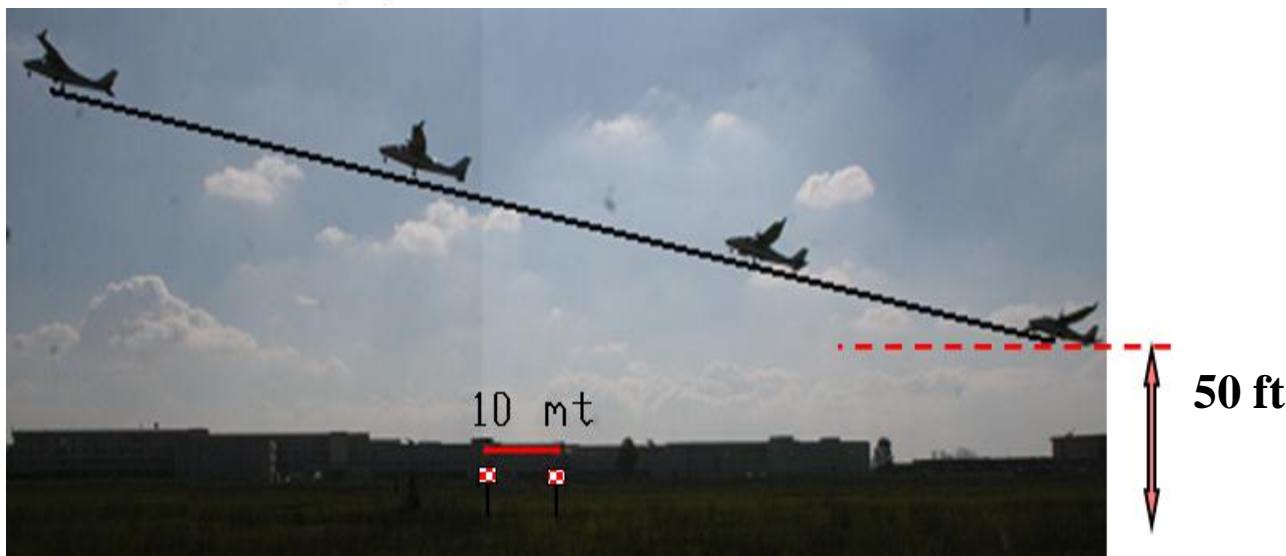
Pickets

Air Phase
reconstruction



TAKE-OFF

TAKE-OFF reconstruction





TAKE-OFF- Results

<i>Take-off</i>	V_R	V_{TO}	V_{obs}	$V_R mean$	$V_{TO} mean$	$V_{obs} mean$
[n°]	(kts)	(kts)	(kts)	(kts)	(kts)	(kts)
1	57.4	57.8	65.5			
2	57.2	58.7	63.2			
3	58.2	59.1	61.1			
4	56.3	58.5	61.3			
5	56.3	60.1	61.2			
6	56.4	60.1	61			
<i>Standard Deviation</i>	0.771	1.771	2.771			
<i>Take-off</i>	<i>Ground Distance Observed</i>	<i>Air Distance observed</i>	<i>Total distance observed</i>	<i>Ground Distance corrected</i>	<i>Air Distance corrected</i>	<i>Total Distance corrected</i>
	(m)	(m)	(m)	(m)	(m)	(m)
Mean	289.16	87.04	376.20	294.80	88.68	383.47

Results meet the demands

$V_R > 56.1 \text{ kts};$

$V_{50} = V_{obs} > 61.2 \text{ kts};$

$\text{STO} = 383 \text{ m}$

Static Longitudinal Stability

1. Aircraft equipped with an instrumentation to measure pilot efforts
2. Centre of gravity pos. must be the most unfavorable



Load cells

Aircraft configuration
during the tests

Weight	1050 kg
Xcg max aft	31%
Air Temperature	24° C
Wind speed	0 kts

All flight tests show that the aircraft is stable (statically) !



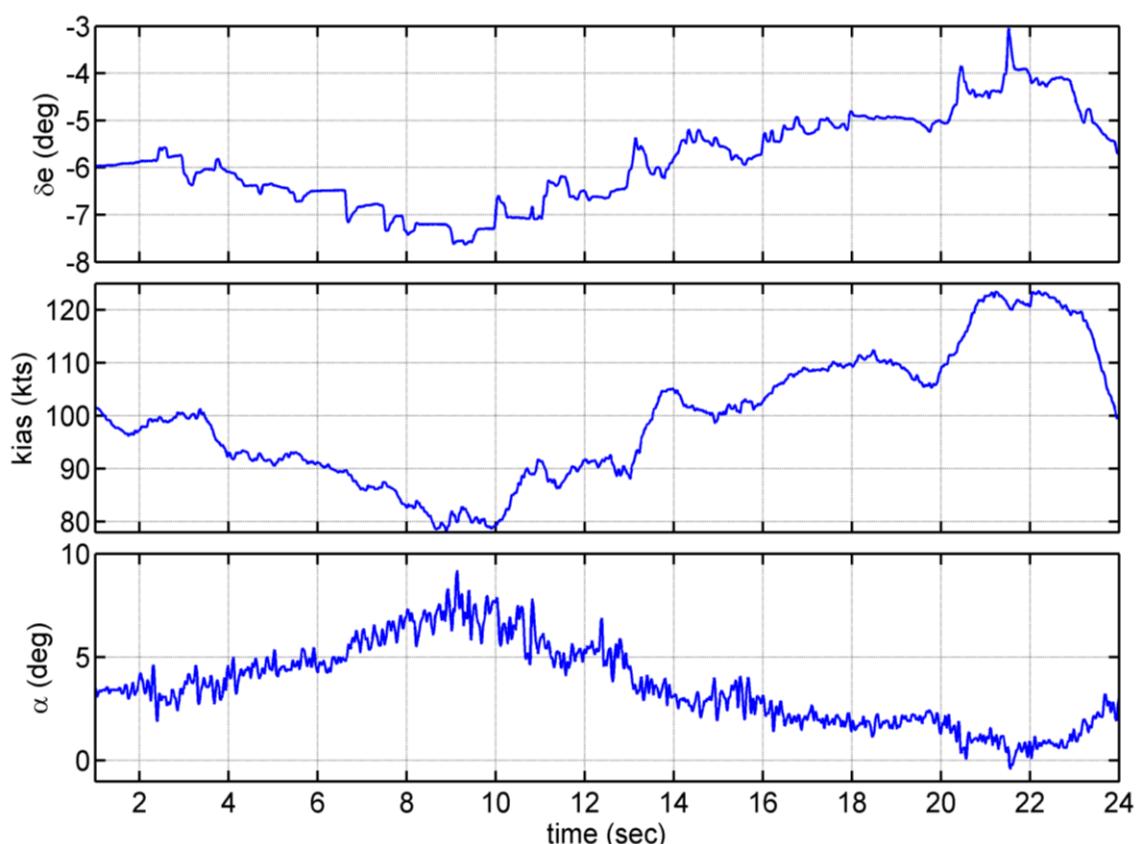
Static Longitudinal Stability

CS 23.173 -CS 23.175

it must be demonstrated that:

1. "a pull must be required to obtain and maintain speeds below the specified trim speed, and a push required to obtain and maintain speeds above the specified trim speed"
2. "the airspeed must return to within 10% of the original trim speed when the control force is slowly released from any trim speed".
3. a stable slope of stick force is required

$V_{trim} = 100$ kts
Clean configuration
Level flight





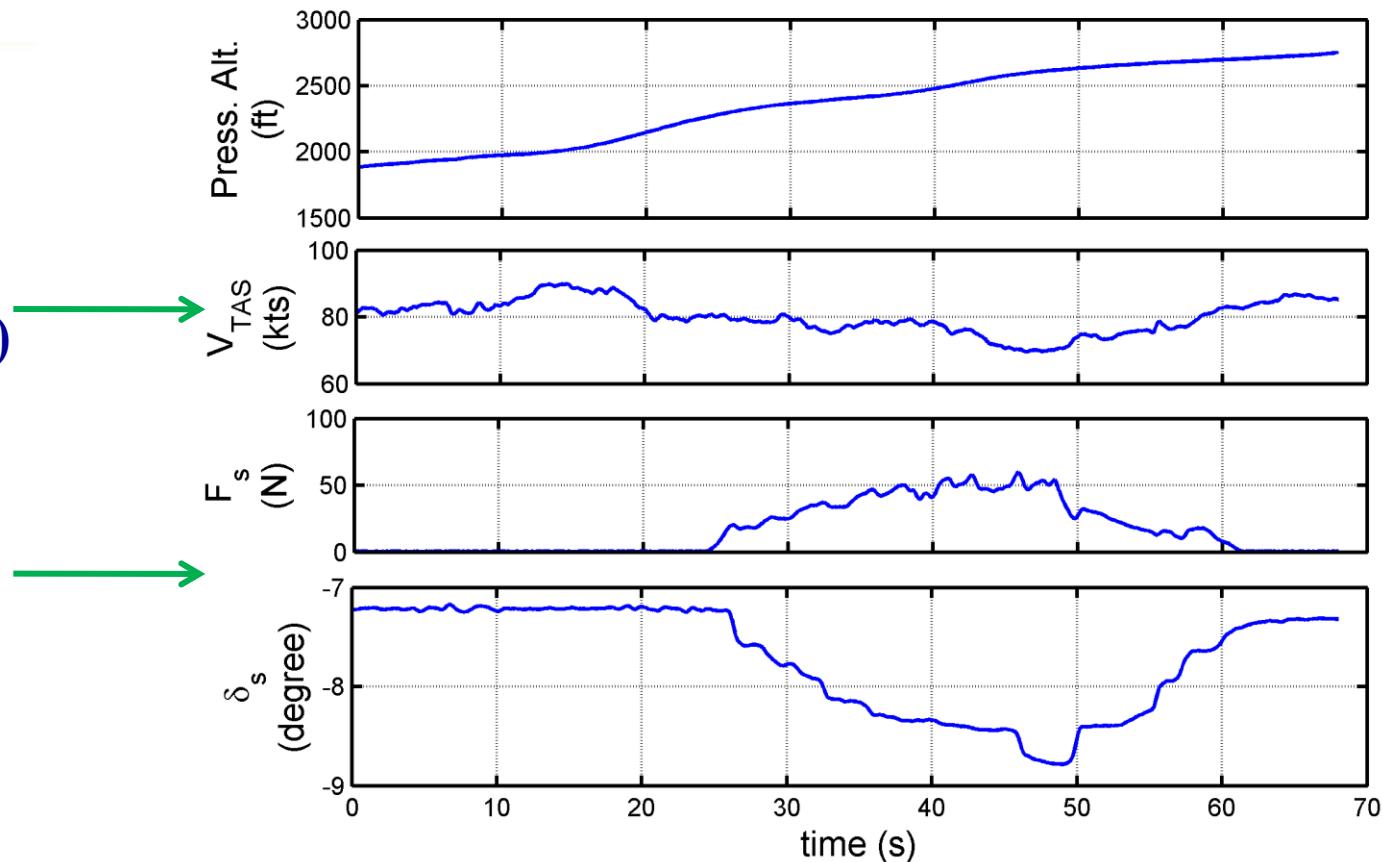
P2006T Stability

Static Longitudinal Stability

Demonstration of Static Longitudinal Stability: example during a climb

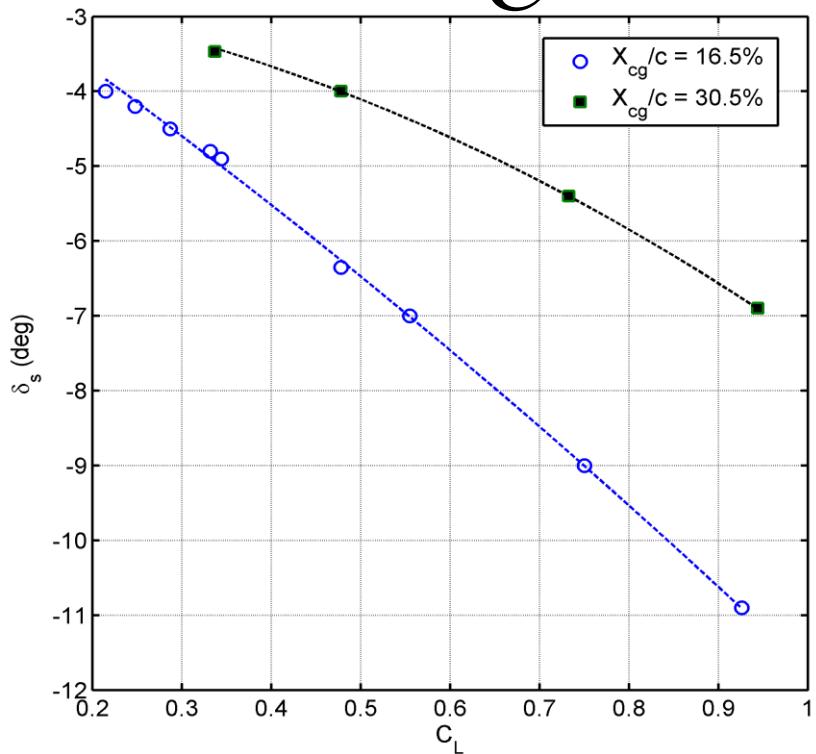
Speed returns to the
trimmed speed (<10%)

Stable slope of
stick-force curve



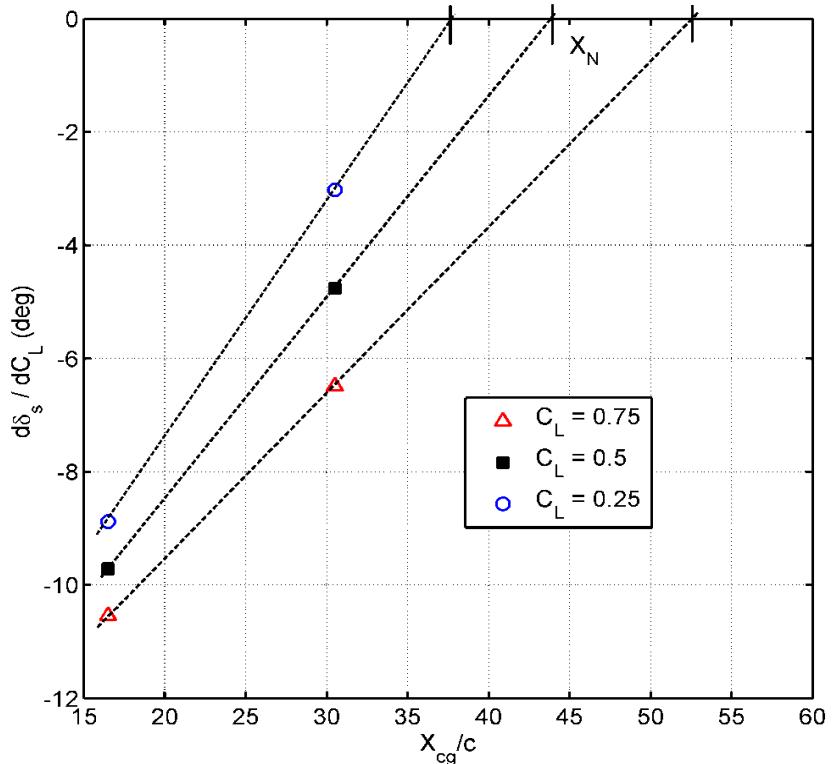
Neutral point

$$\left(\frac{dC_{M_{c.g.}}}{dC_L} \right) = \frac{X_{c.g.}}{\bar{C}} - N_0$$



Neutral point position
Stick-fixed

$$\frac{d\delta_s}{dC_L} = \frac{(dC_M / dC_L)_{fixed}}{C_{M_{\delta_s}}}$$



CL = 0.75

59%

CL = 0.5

44%

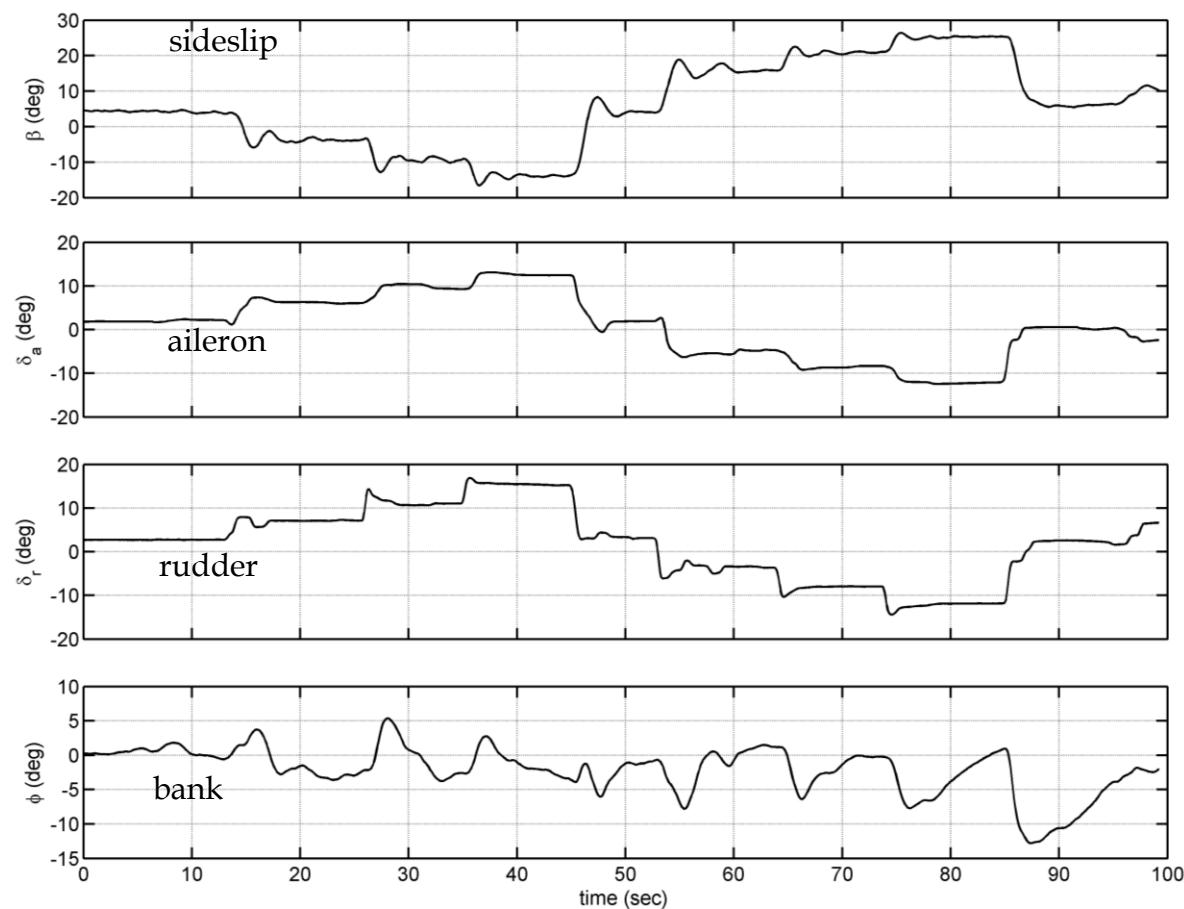
CL = 0.25

37%

Static lateral-directional stability

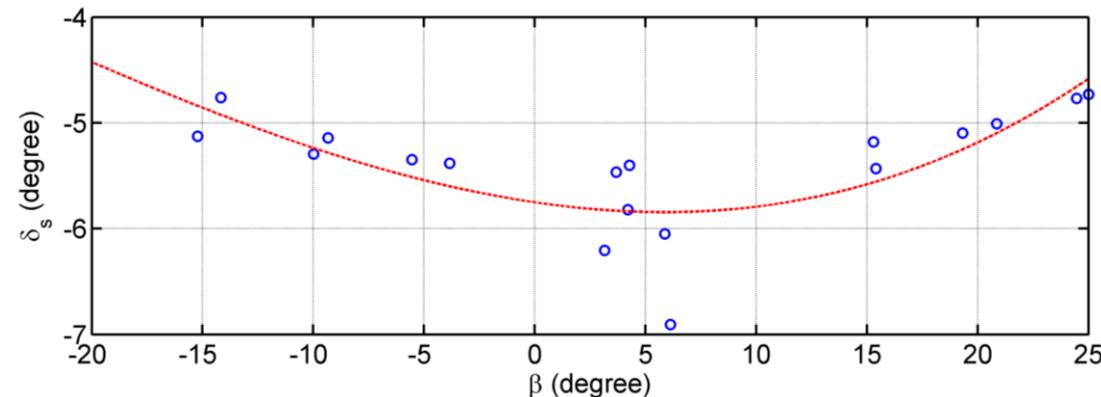
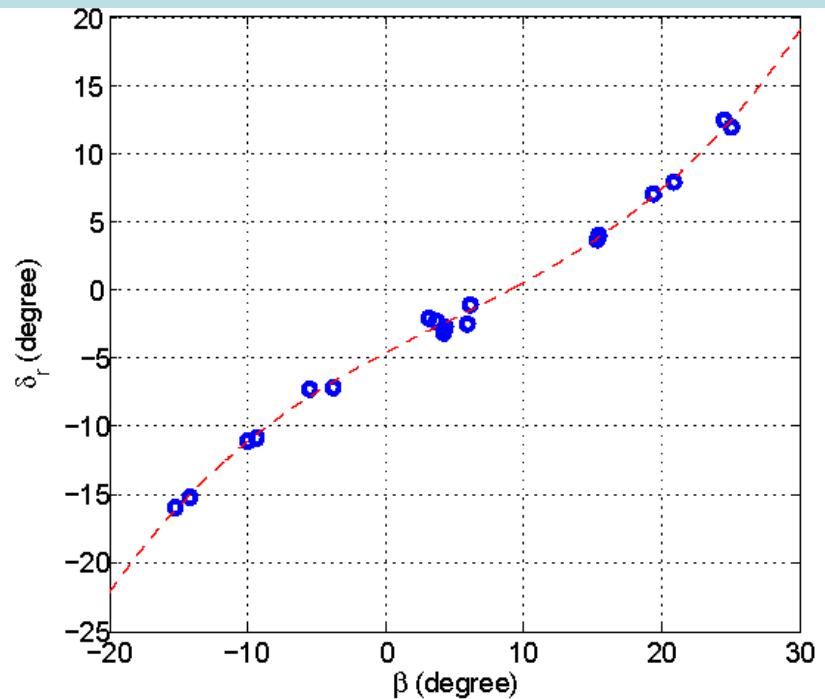
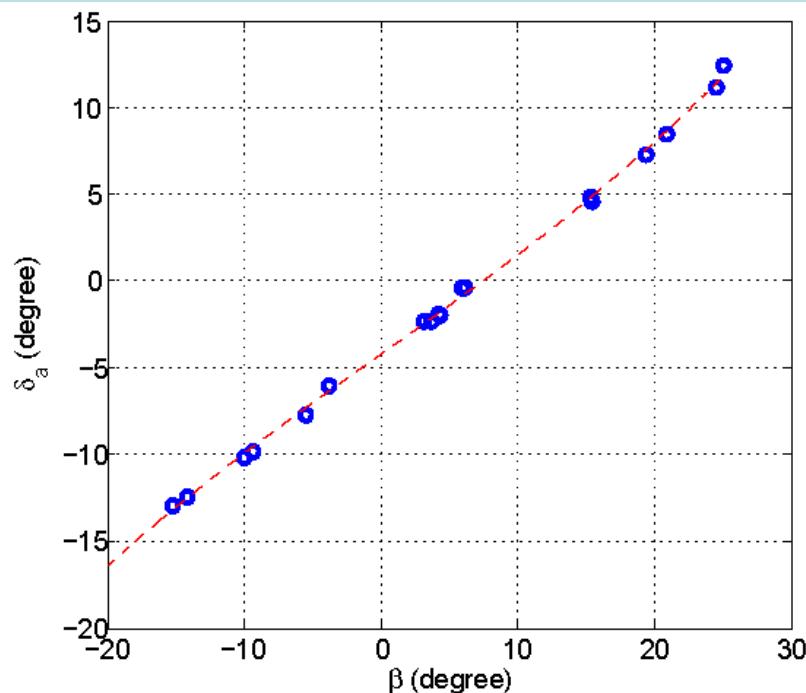
Steady-heading sideslip

Aircraft must be stabilized, with wing leveled at higher sideslip angles with ailerons and rudder control, without particular elevator control variation



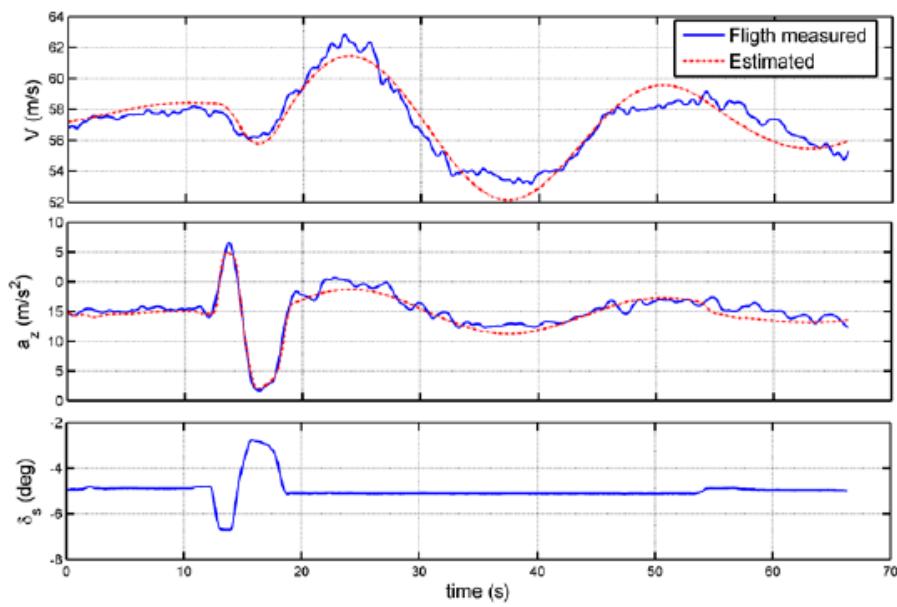


Static lateral-directional stability



- DYNAMIC STABILITY

- SYSTEM IDENTIFICATION





Aircraft Dynamic Stability

-Longitudinal dynamic stability

- 1) **Short period** → well damped , oscillation in α
- 2) **Phugoid** → slightly damped, oscillation in altitude

-Lateral directional dynamic stability

- 1) **Roll** → well damped, not oscillatory
- 2) **Spiral** → almost neutral, very slow motion
- 3) **Dutch roll** → damped, combination in roll and yaw

Manoeuvres to excite the aircraft motion

- It is essential that the dynamic response exhibits frequency and damping of the oscillatory modes.
- It is recommended to start each manoeuvre from a trimmed level flight, and allow 5-6 s before applying a specific inputs, and, depending upon the mode of motion, to allow sufficient time after the input to allow the aircraft to oscillate.



Manoeuvres to excite the aircraft motion

- Engineering approach

➤ *multistep input signals based on the frequency content*

$$E(\omega) = 2\Delta t^2 \frac{1 - \cos \Omega}{\Omega^2} \left[\sum_{i=1}^N V_i^2 + 2 \sum_{j=1}^{N-1} \cos j\Omega \sum_{i=1}^{N-j} V_i V_{i+j} \right]$$

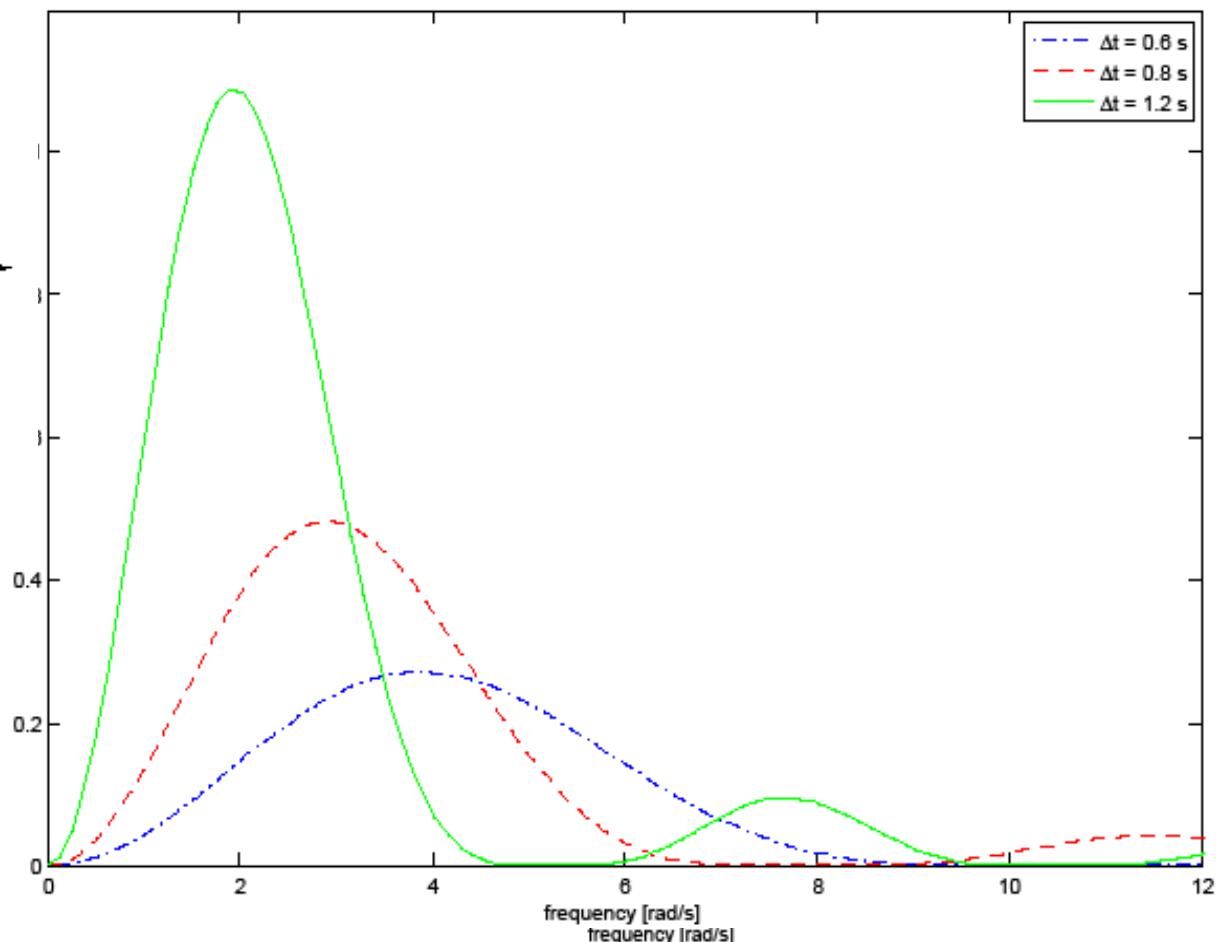
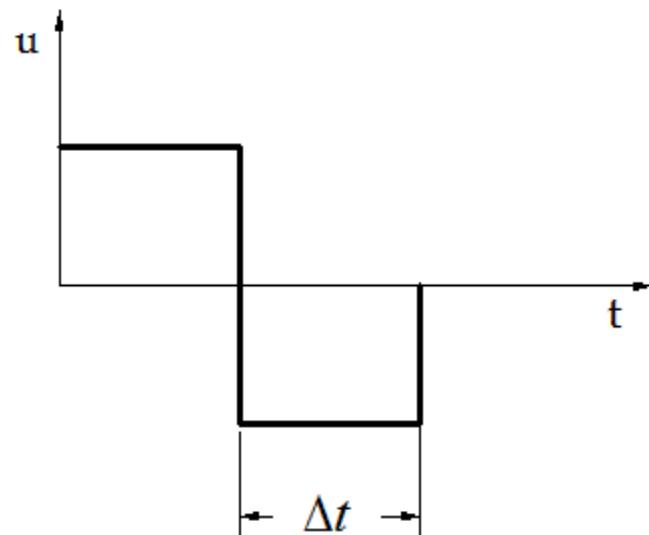
$E(\omega)$ energy spectrum

$\Omega = \omega \Delta t$ normalized frequency

$T = N \Delta t$ total duration of the input consisting of N impulses each of duration Δt

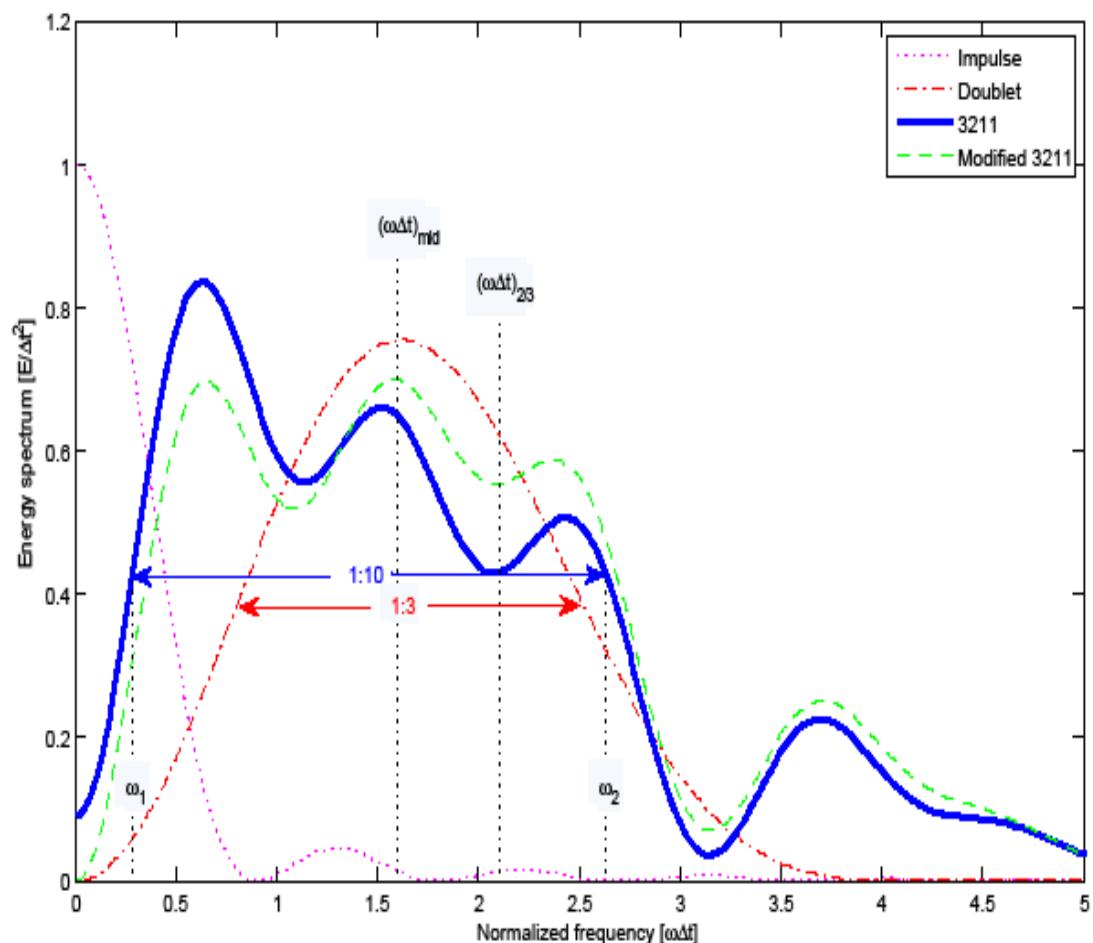
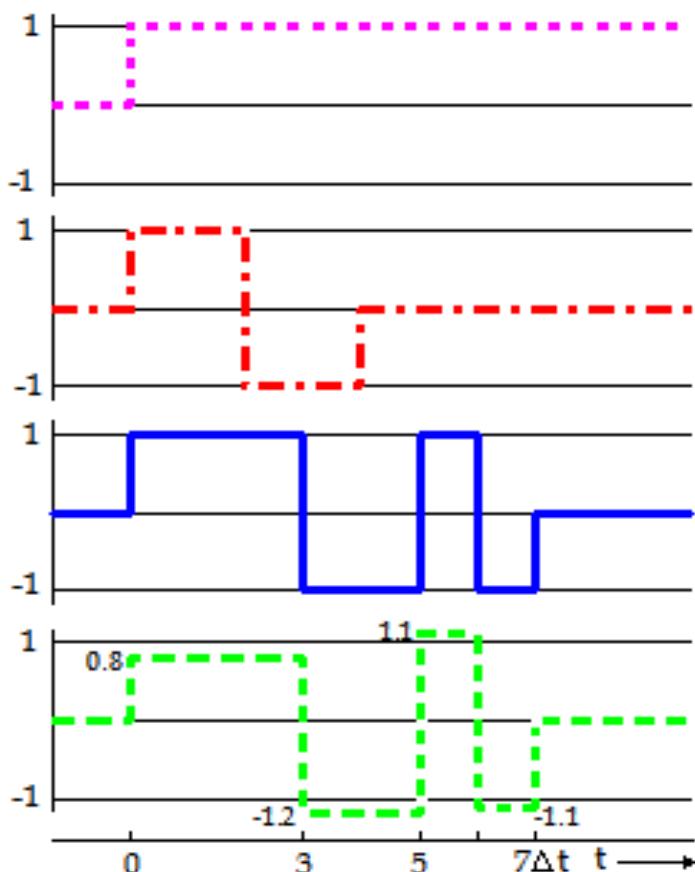
V_i amplitude of for the current input

Manoeuvres to excite the aircraft motion



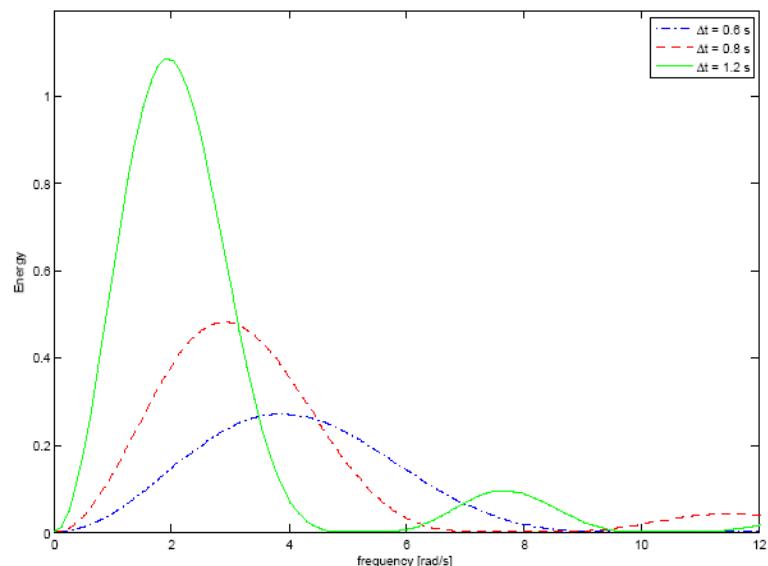
Suitable for
Phugoid ($T = 25\text{-}30 \text{ sec.}$)
Short Period ($= 2\text{-}3 \text{ sec.}$)
 $f = 0.2\text{-}0.3 \text{ rad/sec}$
 $f = 2\text{-}3 \text{ rad/sec}$

Manovre per l'Identificazione Parametrica di un velivolo



Manoeuvres to excite aircraft motion

STEP ?



$$\omega_n \Delta t_{DBLT} \approx 2.3 \longrightarrow$$

$$\Delta t_{DBLT} \approx \frac{2.3}{\omega_n} \approx \frac{2\pi}{2.7\omega_n} \approx \frac{1}{2.7} \cdot \text{oscill. Period}$$

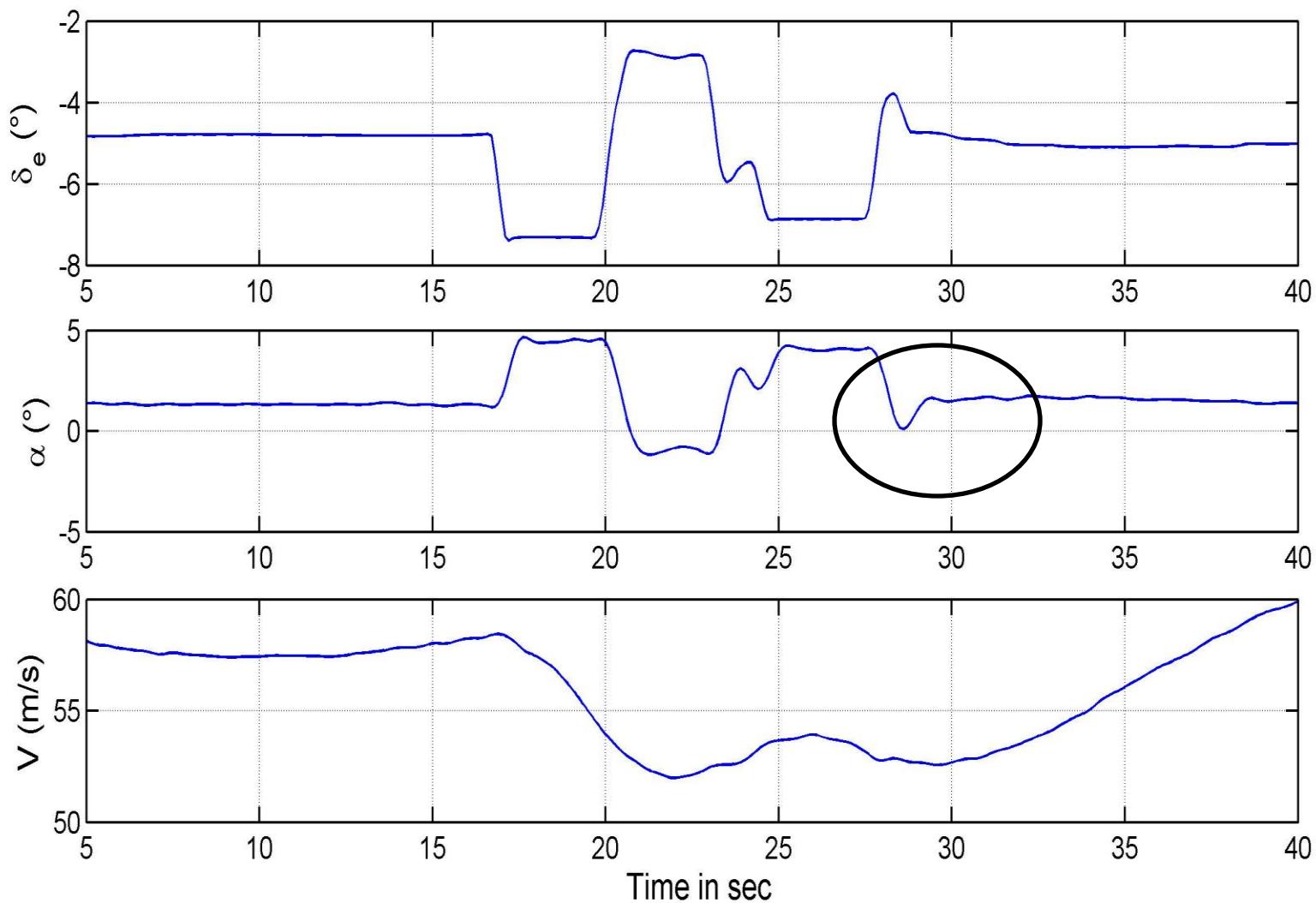
→ $\Delta t_{\text{DOUBLET}} = 1/2.7 * \text{Period of oscillation}$

→ $\Delta t_{\text{3211}} = 1/4 * \text{Period of oscillation}$

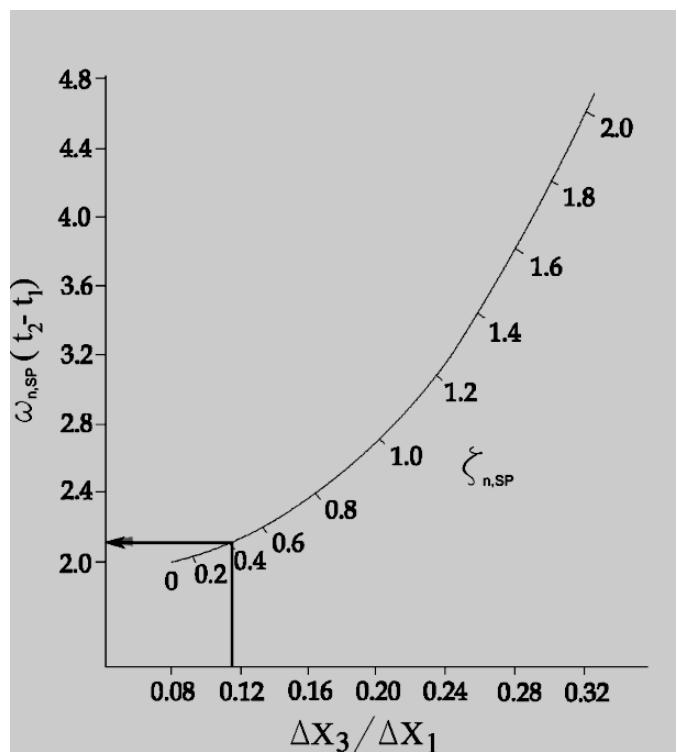
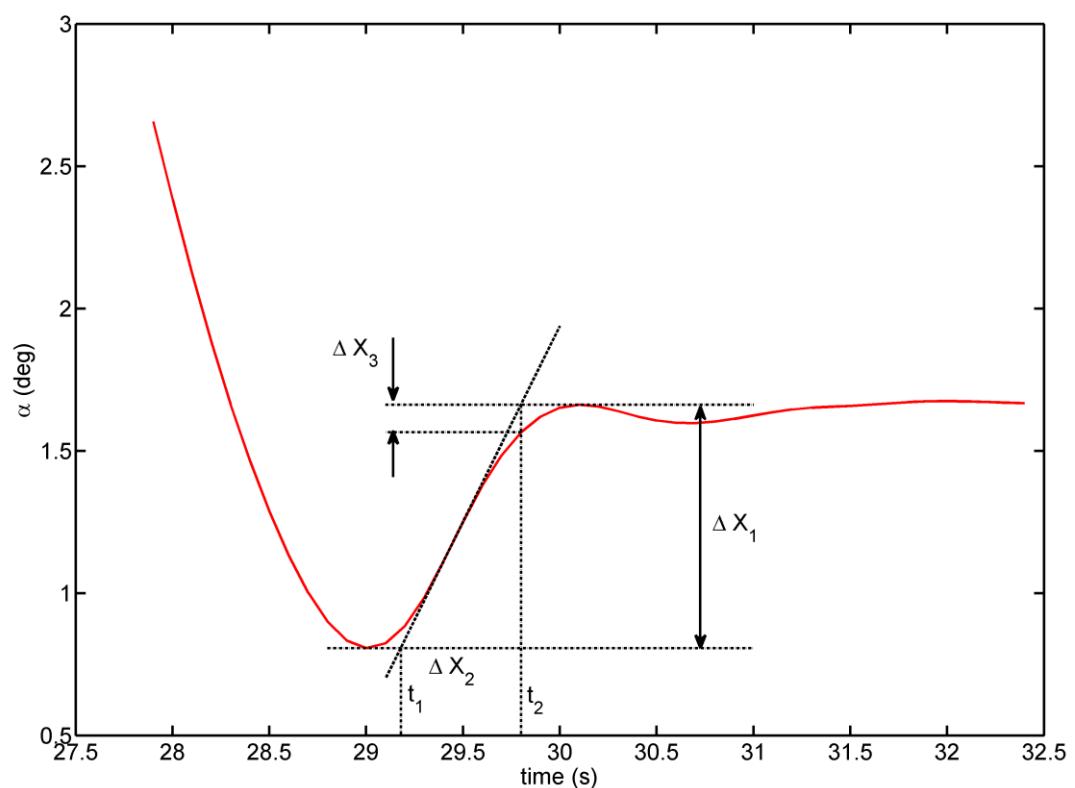
→ $\Delta t_{\text{SINGLE_Impulse}} = 1/6 * \text{Period of oscillation}$



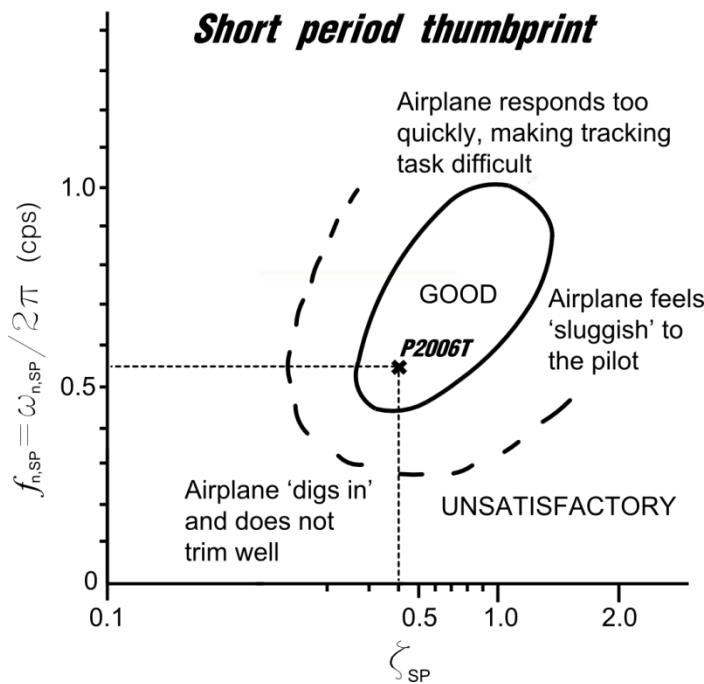
Short Period - Time Histories & data reduction



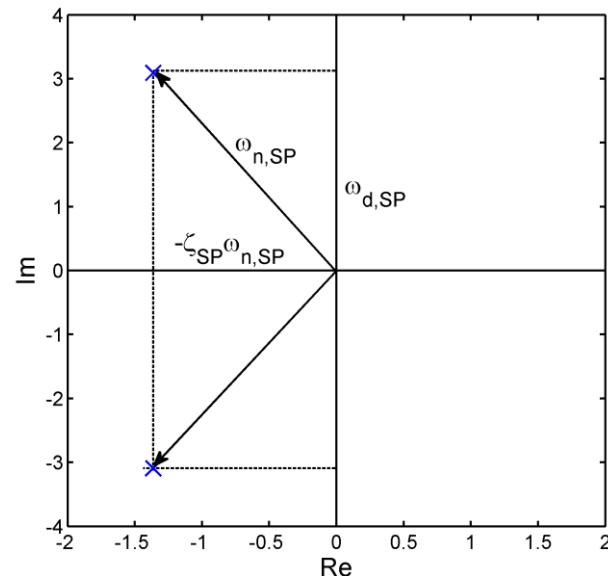
Short period mode evaluation



Short period mode evaluation



Time constant, τ_{SP}	0.0088 s
Damping ratio, ζ_{SP}	0.40
Damped pulsation, $\omega_{d,SP}$	3.125 rad/s
Damped period, T_{SP}	1.84 s
Natural pulsation, $\omega_{n,SP}$	3.410 rad/s
Natural frequency, $f_{n,SP} = \omega_{n,SP} / 2\pi$	0.54 cps



Averaged damped oscillation parameters in the imaginary plane, extracted from a number of time histories (excited by '3211-type' longitudinal command input)

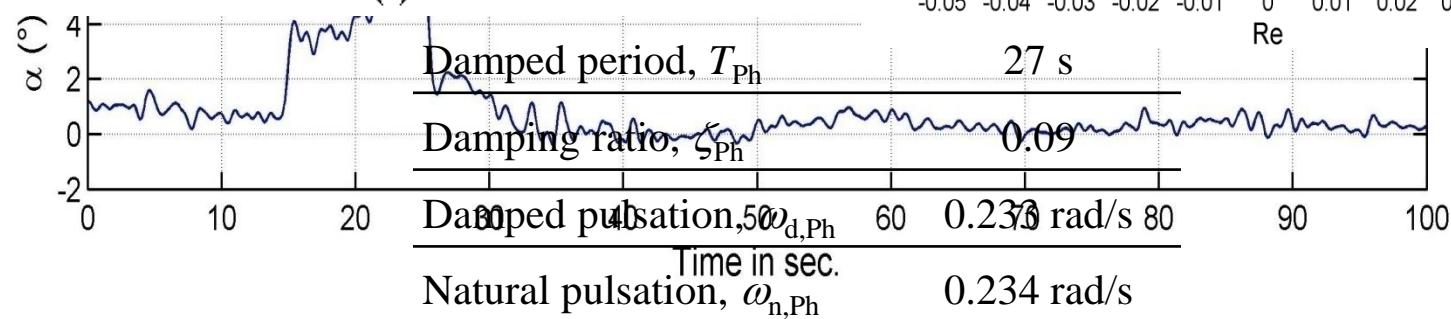
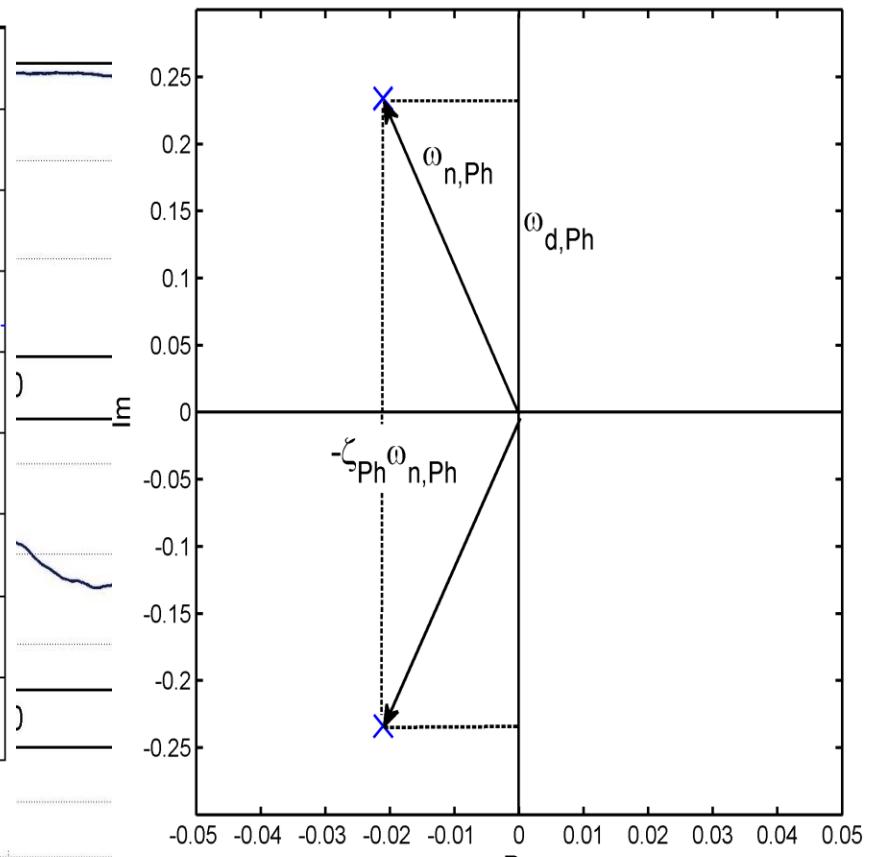
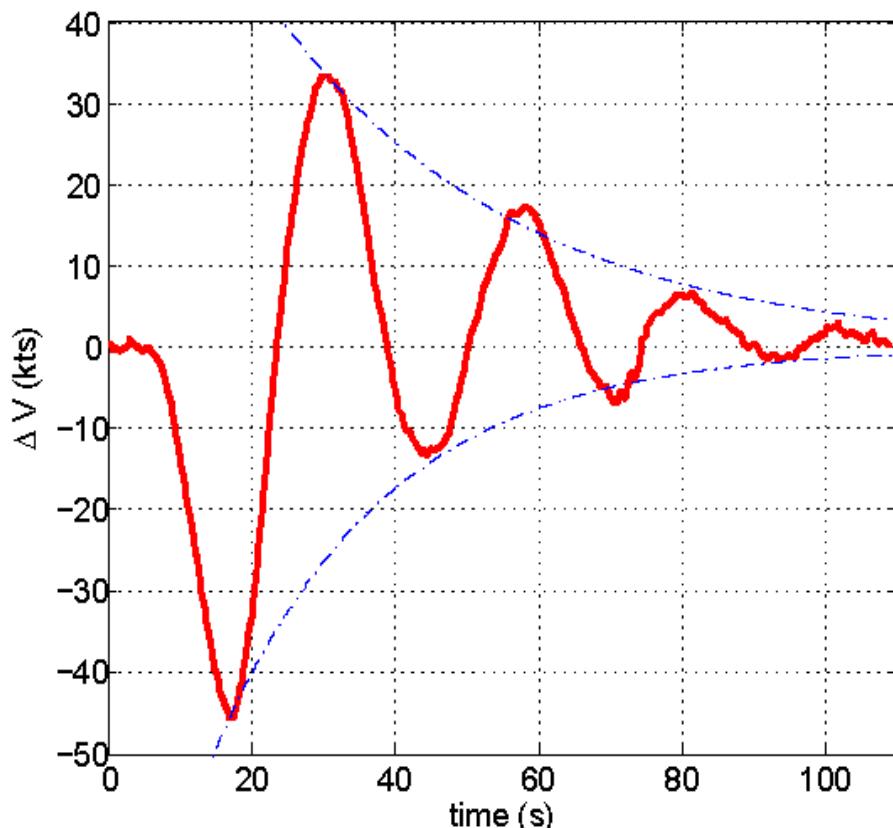
$$\tau_{SP} = -1 / Z_\alpha = m / (Q_0 S C_{L\alpha})$$

$$CAP = \omega_{n,SP}^2 / n_\alpha \approx mg \omega_{n,SP}^2 / (Q_0 S C_{L\alpha}) = 1.009$$

**Within Level 1 range
(Class I-B, MIL-STD-1797A)**



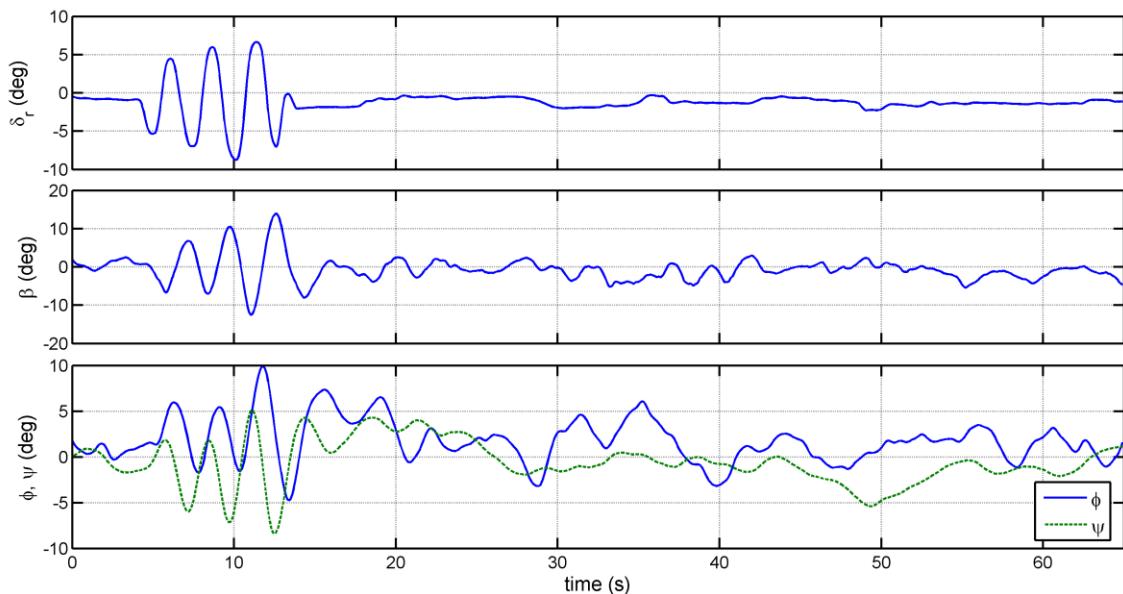
Phugoid - Time Histories & data reduction



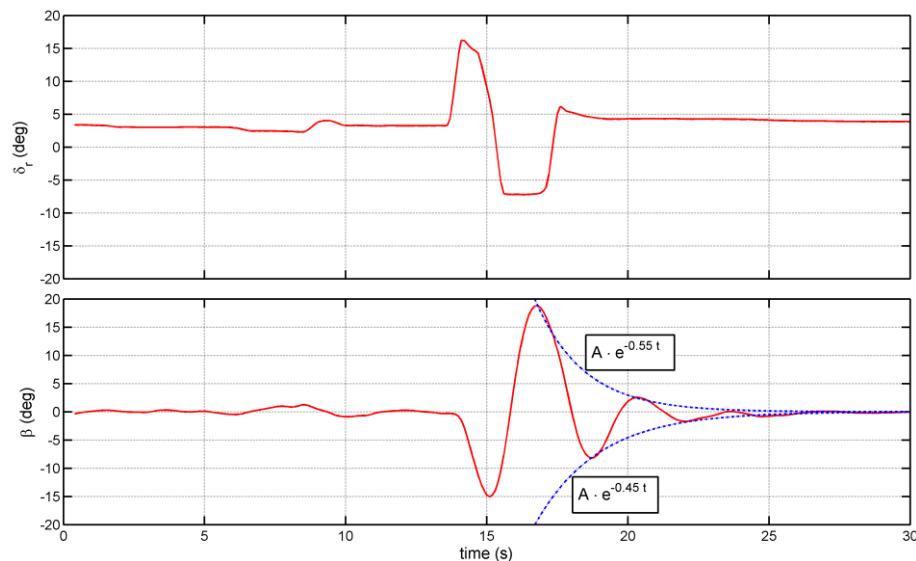
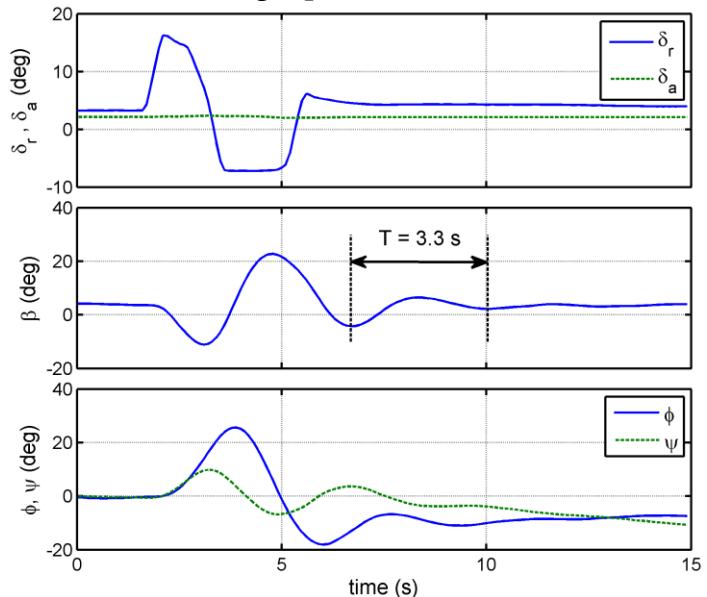


Dutch roll mode evaluation

multiple pedal doublets



Single pedal doublet



Damped period, T_{DR}	3.25 s
Damping ratio, ζ_{DR}	0.26
Damped pulsation, $\omega_{d,DR}$	1.93 rad/s
Natural pulsation, $\omega_{n,DR}$	2.00 rad/s
Time factor, $\eta_{DR} = \zeta_{DR} \omega_{n,DR}$	0.52 rad/s

Sideslip variation, with respect to a trimmed condition in level flight at 110 kts.

ζ_{Ph} is calculated using the transient-peak-ratio (TPR) method



System Identification

- Determining the characteristics of a system(the aircraft) through a series of

BASIC PARAMETERS



System Identification -Approach

- Numeric (CFD – Semiempirical Formulas)
- Experimental(Wind tunnel tests- Flight tests)



Sperimental Approach Flight Tests

Model reconstruction through the aircraft flight tests measured response.

I fattori che determinano l'attendibilità dei parametri sono:

- dati raccolti (*Data Gathering*)
- modello postulato (*Postulated Model*)
- algoritmo di analisi (*Output Error Method*)



Data Gathering - Aspetti cruciali

- Affidabilità del Sistema di acquisizione
- Definizione dello scopo dei test
- Definizione di una opportuna sequenza di manovre da effettuare
- Scelta di una forma adeguata di input per eccitare il moto del velivolo in maniera ottimale



Modello postulato

- Modello nello Spazio degli Stati

$$\left\{ \dot{x}(t) \right\} = f(\{x(t)\}, \{u(t)\}, t),$$

- Equazione della dinamica del volo

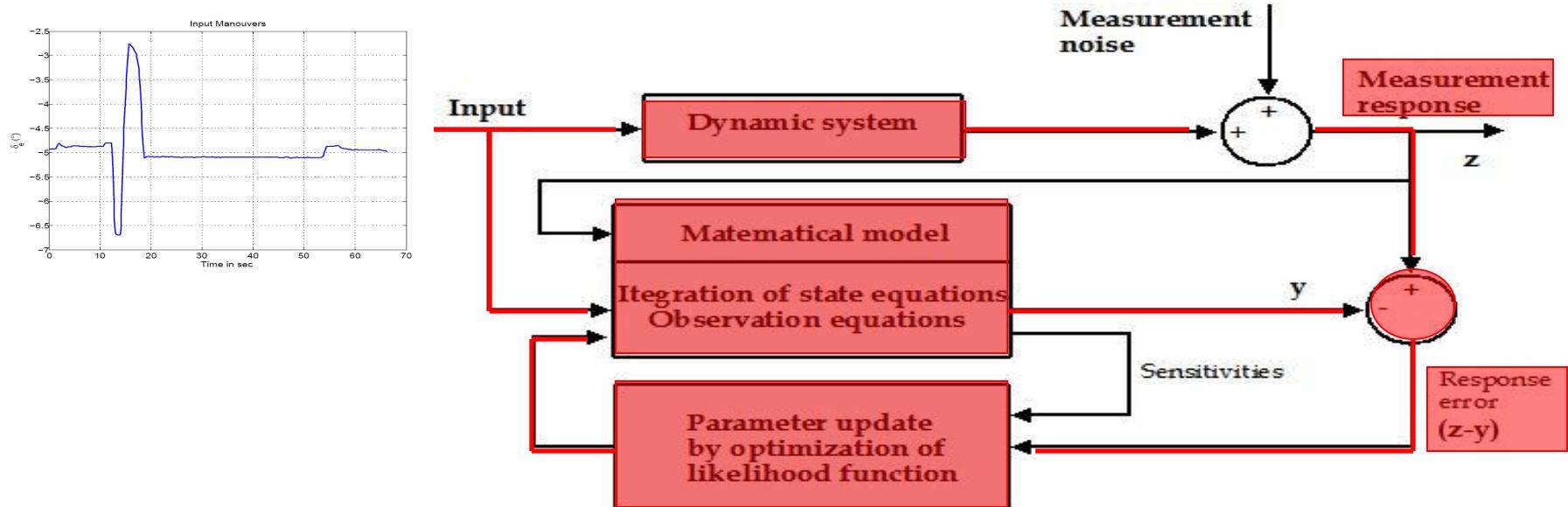
$$\{x(t=0)\} = \{x_0\}$$

- Problema di valori iniziali

- Metodo di Runge-Kutta al quarto ordine

Algoritmo di Analisi Metodo di Output Error

Il codice utilizzato come post processing per l'Identificazione dei parametri del velivolo dalle prove dinamiche in volo è stato realizzato dal Prof. Ravindra V. Jategaonkar e si basa sul metodo OEM.





Algoritmo di Analisi Principio della Massima Verosimiglianza

$$\dot{\{x(t)\}} = f(\{x(t)\}, \{u(t)\}, t), \quad \{x(t=0)\} = \{x_0\}$$

$$\{y(t)\} = h(\{x(t)\}, \{u(t)\}, t)$$

$$\{z(t)\} = [C]\{x(t)\} + \{v(t)\}$$

L'esperimento dipende da k parametri $\underline{\Theta}_1, \underline{\Theta}_2, \dots, \underline{\Theta}_k$ per i quali i valori osservati, contenuti nella matrice delle osservazioni \underline{z} , sono i più probabili tra quelli stimati, a loro volta contenuti nella matrice delle variabili stimate \mathbf{y}

matematicamente, bisogna massimizzare la *funzione di verosimiglianza* $p(z|\Theta)$



Algoritmo di Analisi Metodo di Output Error

IPOZZANDO CHE le osservazioni $\underline{z}_1, \underline{z}_2, \dots, \underline{z}_k$

sono assunte variabili aleatorie statisticamente indipendenti.

Si può scrivere la funzione di verosimiglianza come

$$p(z|\Theta) = p(z_1|\Theta) \cdot p(z_2|\Theta) \cdot \dots \cdot p(z_N|\Theta) = \prod_{k=1}^N p(z_k|\Theta)$$

Si passa al \ln poiché accelera la convergenza essendo monotono

$$\frac{\partial \ln(p(z|\Theta))}{\partial \theta} = 0$$

Per il calcolo di $p(z|\Theta)$

Si definisce l'*innovazione* v all'istante t_k $v(t_k) = z(t_k) - y(t_k)$



Identificazione Parametrica delle Caratteristiche del Velivolo

Le fasi in cui si snoda il processo di stima dei parametri sono:

- scelta del modello di equazioni atto a descrivere il moto
- creazione della giusta sequenza di manovre e delle risposte misurate da fornire in ingresso
- determinazione dei parametri iniziali sulla base di analisi semiempiriche, analisi di galleria del vento
- determinazione dei parametri presenti nel modello base proposto dall'autore del codice di stima; si è quindi proceduto alla modifica del modello e alla stima dei parametri per gradi.
- esecuzione di una simulazione di verifica per ogni gruppo di parametri stimati, attraverso manovre di riserva per il moto longitudinale
- scelta dei parametri finali sulla base dei quali descrivere il modello finale del velivolo



Longitudinal model equations

State equations

$$\left\{ \begin{array}{l} \dot{V} = \frac{Q_S}{m} C_D + g \sin(\alpha - \theta) + \frac{T}{m} \cos(\alpha + \sigma_T) \\ \dot{\alpha} = \frac{Q_S}{mV} C_L + q + \frac{g}{V} \cos(\alpha - \theta) + \frac{T}{mV} \sin(\alpha + \sigma_T) \\ \dot{\theta} = q \\ \dot{q} = \frac{Q_S c}{I_{yy}} C_M + \frac{T}{I_{yy}} (\ell_{T,x} \sin \sigma_T + \ell_{T,z} \cos \sigma_T) \end{array} \right.$$

Observation equations

$$\left\{ \begin{array}{l} V_m = V \quad \alpha_m = \alpha \quad \theta_m = \theta \quad q_m = q \\ \dot{q}_m = \frac{Q_S c}{I_{yy}} C_M + \frac{T}{I_{yy}} (\ell_{T,x} \sin \sigma_T + \ell_{T,z} \cos \sigma_T) \\ a_{x,m} = \frac{Q_S}{m} C_X + \frac{T}{m} \cos \sigma_T \\ a_{z,m} = \frac{Q_S}{m} C_Z + \frac{T}{m} \sin \sigma_T \end{array} \right.$$

state variables: V, α, θ, q

$$C_X = C_L \sin \alpha - C_D \cos \alpha \quad C_Z = -C_L \cos \alpha - C_D \sin \alpha$$

Inputs: δ_s, T (constant)

Aerodynamic model:

$$C_D = C_{D0} + C_{D\alpha} \alpha \quad C_L = C_{L0} + C_{L\alpha} \alpha \quad C_M = C_{M0} + C_{M\alpha} \alpha + C_{Mq} \frac{qc}{2V_0} + C_{M\delta_s} \delta_s$$

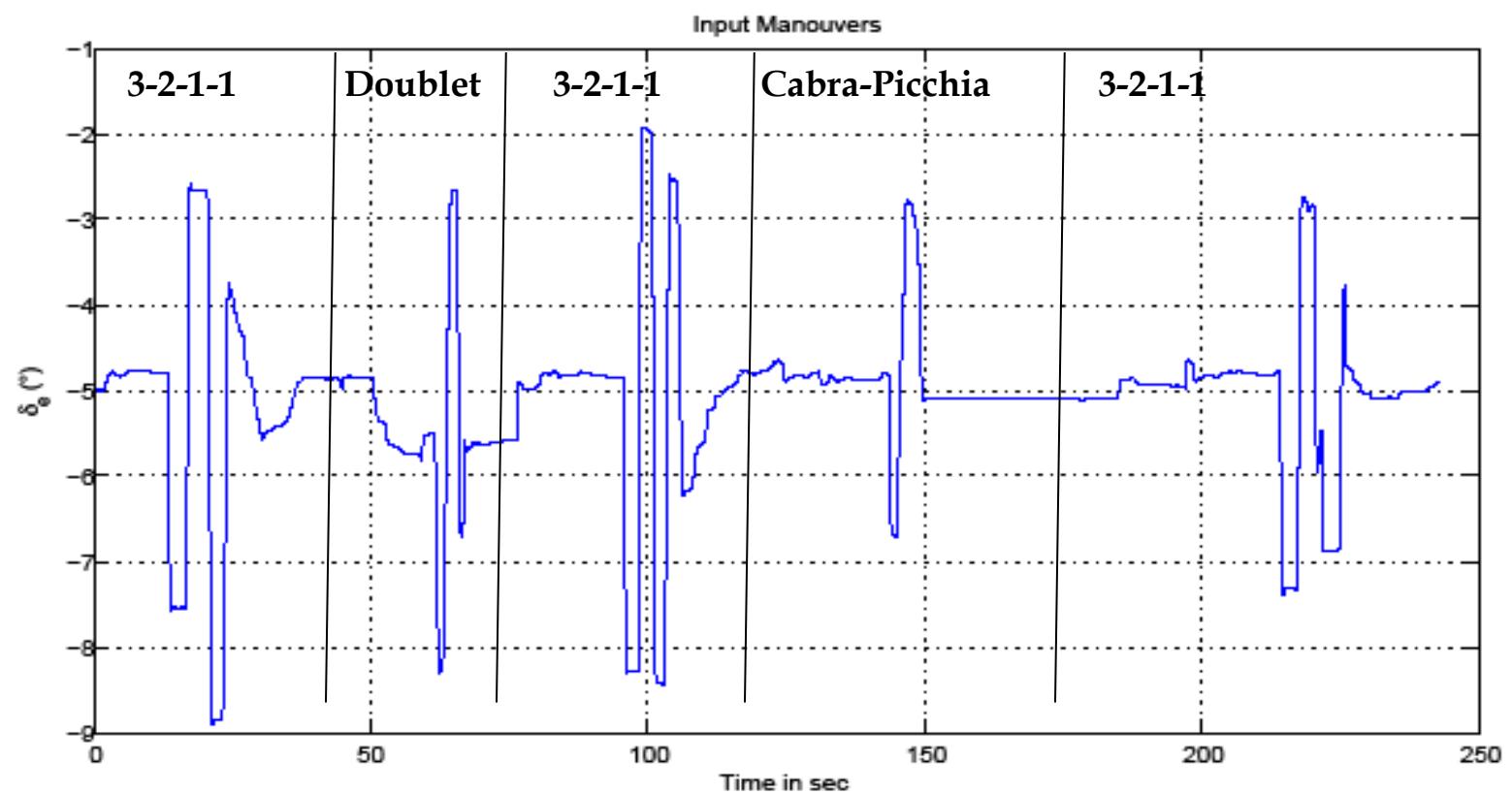
Unknown
parameters:
(longitudinal)

$$\Theta_{\text{lon}} = [C_{D0}, C_{D\alpha}, C_{L0}, C_{L\alpha}, C_{M0}, C_{M\alpha}, C_{Mq}, C_{M\delta_s}]$$



Manovre concatenate

Caratteristiche Longitudinali del P2006T





Scelta delle condizioni iniziali e dei parametri iniziali

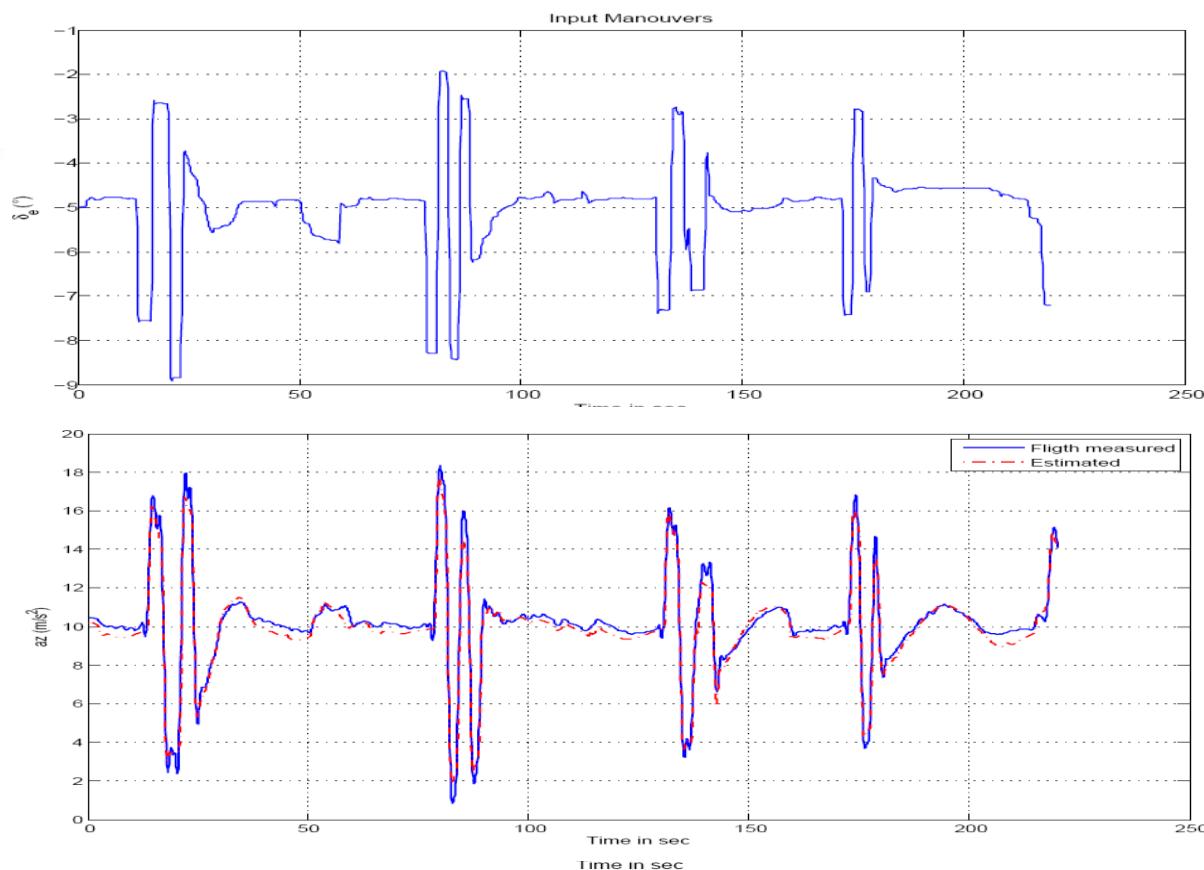
Per la risoluzione del sistema di equazioni differenziali e per l'utilizzo corretto del software del prof. Ravindra V. Jategaonkar occorre

- imporre delle condizioni iniziali, x_0
- imporre dei valori iniziali ai parametri incogniti, Θ

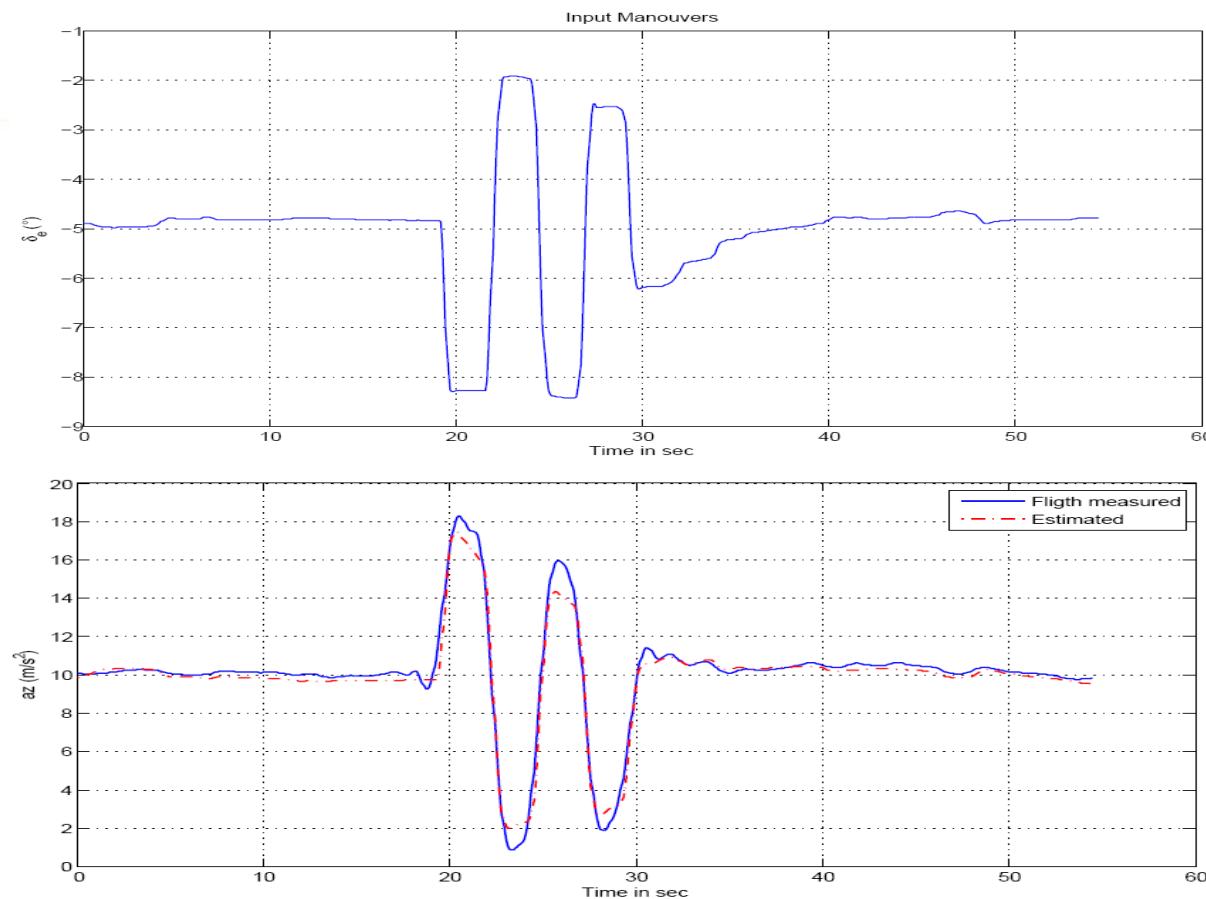
Questi parametri non possono essere scelti in maniera arbitraria, infatti questo comporterebbe una crisi nel codice proposto. È necessario quindi

- un'analisi preliminare delle condizioni di volo di inizio manovra (che permettono una corretta stima delle condizioni iniziali),
- la ricerca di un set di parametri che si avvicinano a quelli del velivolo in esame.

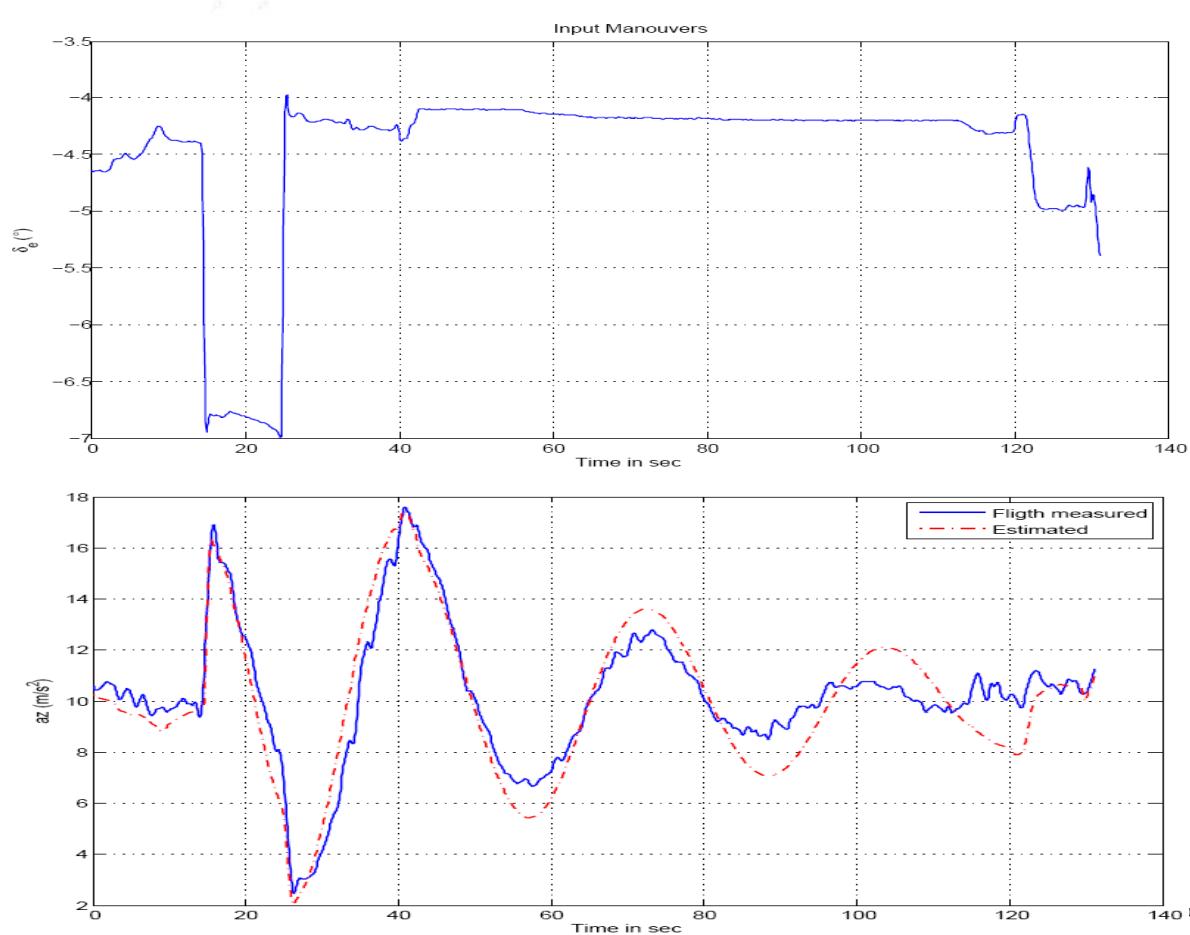
Confronto dati misurati - dati stimati



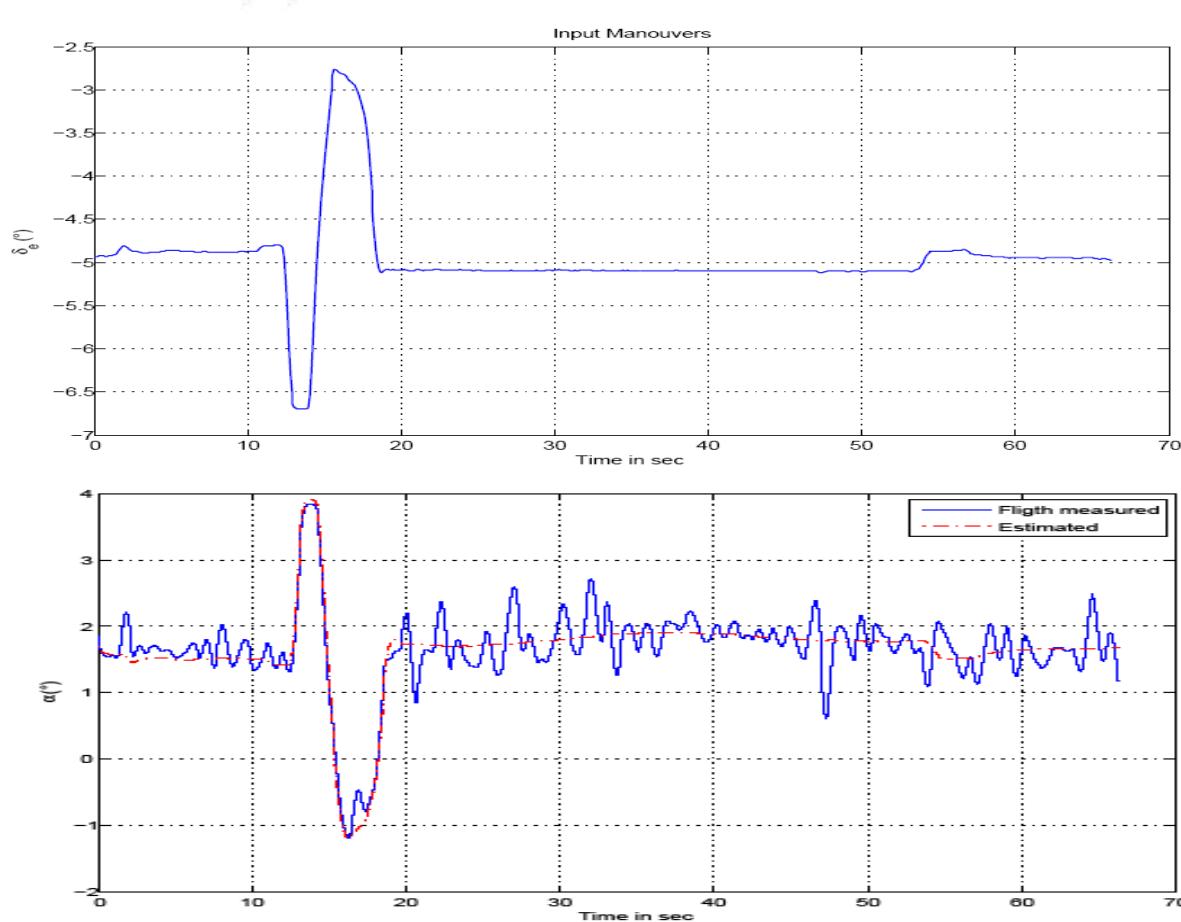
Confronto di verifica dati misurati - dati stimati Manovra 3-2-1-1



Confronto di verifica dati misurati – dati stimati Manovra Impulso



Confronto di verifica dati misurati – dati stimati Manovra Cabra-Picchia





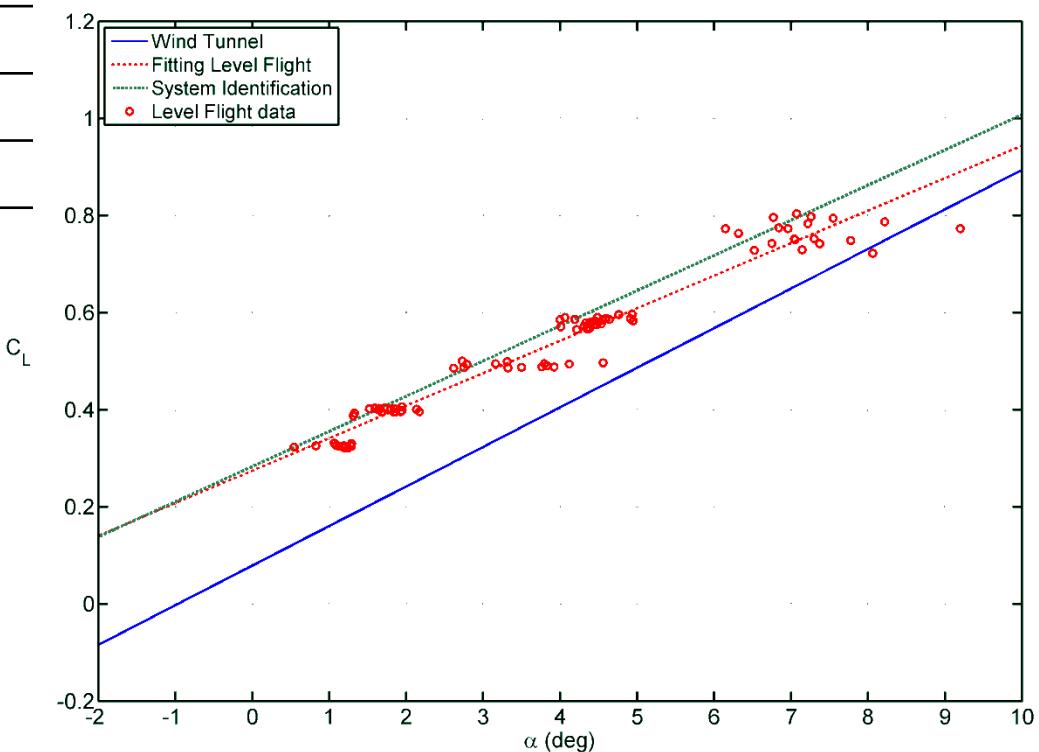
Longitudinal aerodynamic coefficients

	Wind Tunnel ($Re = 0.60 \times 10^6$)	Semi-Empirical	Estimated ($Re \approx 6 \times 10^6$)
C_{D_0}	0.027	-	0.0334
C_{D_α} (1/rad)	0.171	-	0.222
C_{L_0}	0.153	-	0.289
C_{L_α} (1/rad)	4.5	-	4.152
C_{m_0}	-0.08	-	-0.922
C_{m_α} (1/rad)	-0.80	-	-0.871
C_{m_q} (1/rad)	-	-19.05	-14.799
$C_{m_{\delta e}}$ (1/rad)	-1.830	-	-1.811

Wind tunnel result, level flight test result and estimation result compared

Wind tunnel and system identification output refers to a 'fixed' configuration

A Lift curve slope $C_{L_\alpha} = 3.85 \text{ rad}^{-1}$ has been determined through level flight test at different speeds (with stabilator in different positions)





Next Generation – P2012 Traveller



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- 12 seater
- CS 23 Ref.
- twin engine

ACTIVITY ON

- WT Tests

- Flight Simulation